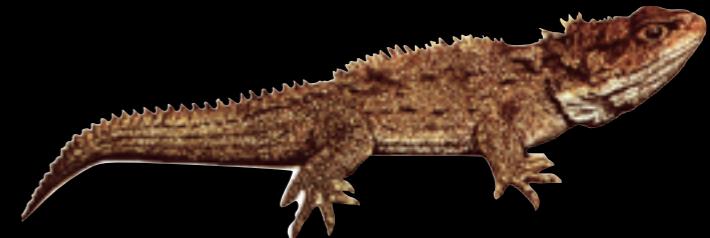
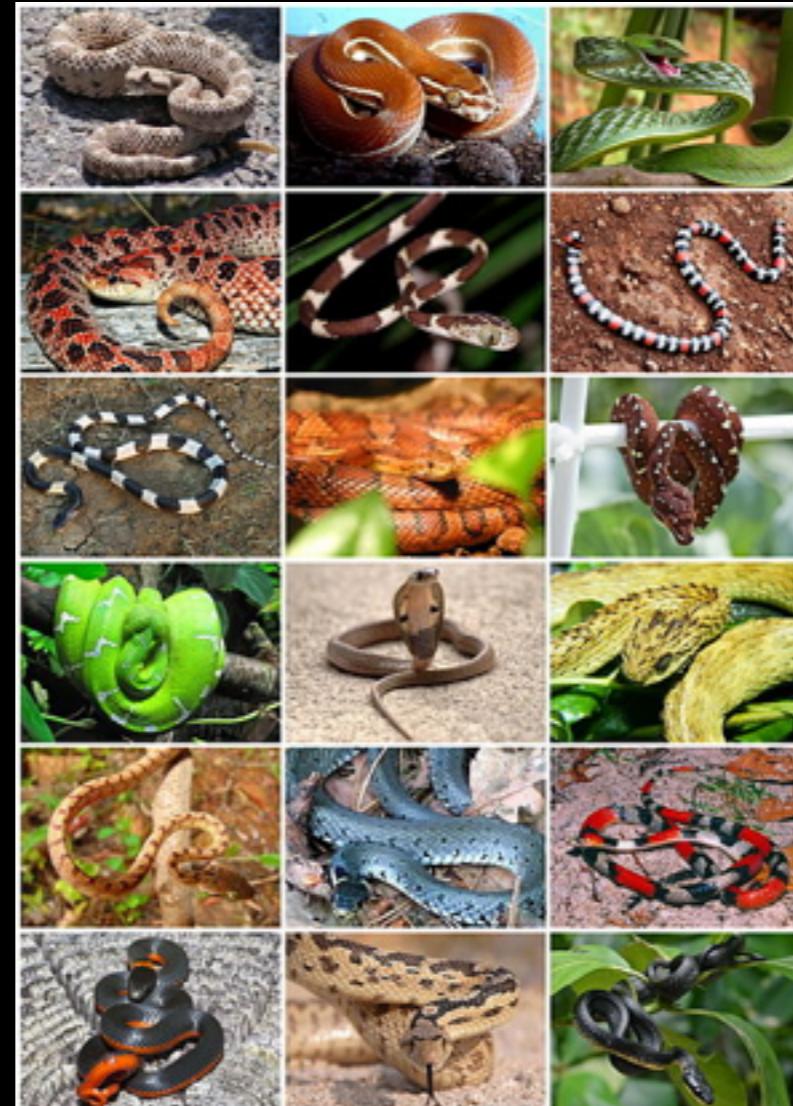


Diversification models

THE FUNDAMENTAL PATTERN OF BIODIVERSITY: UNEVENNESS

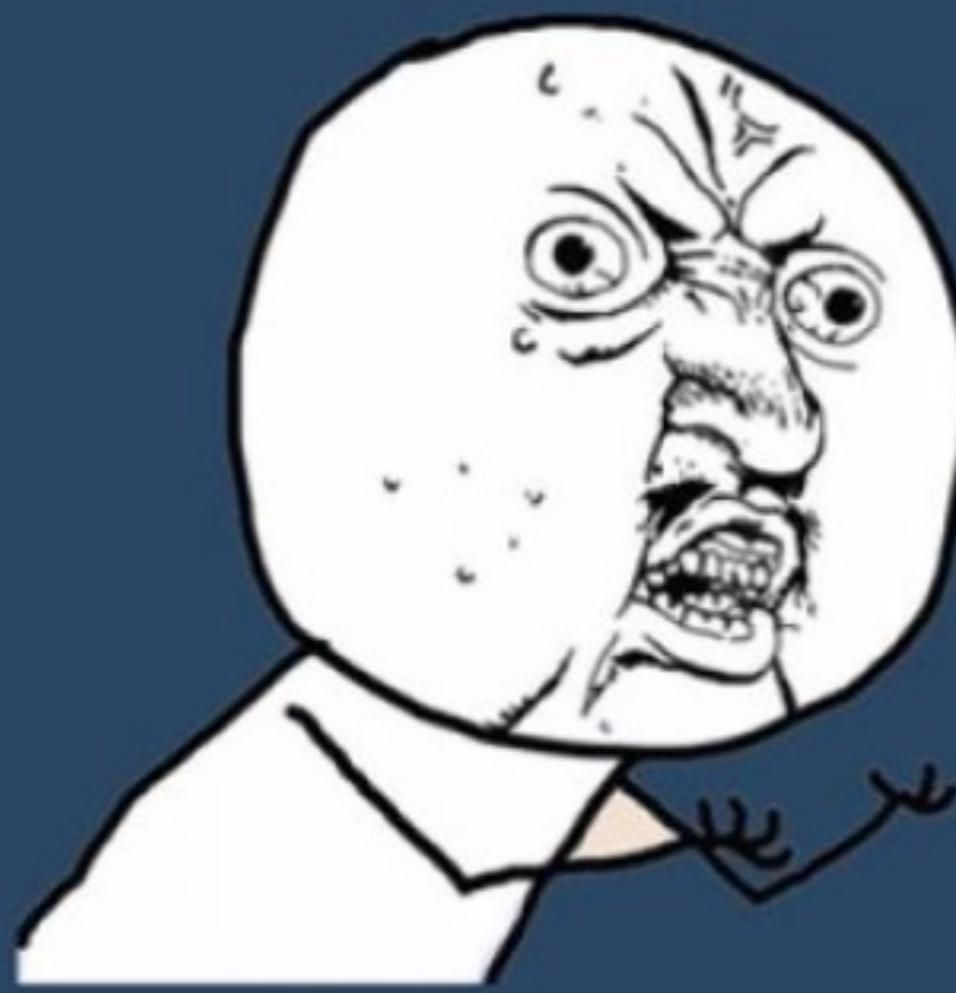
> 9000 species



T

230 MY

TUATARA



Y U NO SPECIATE

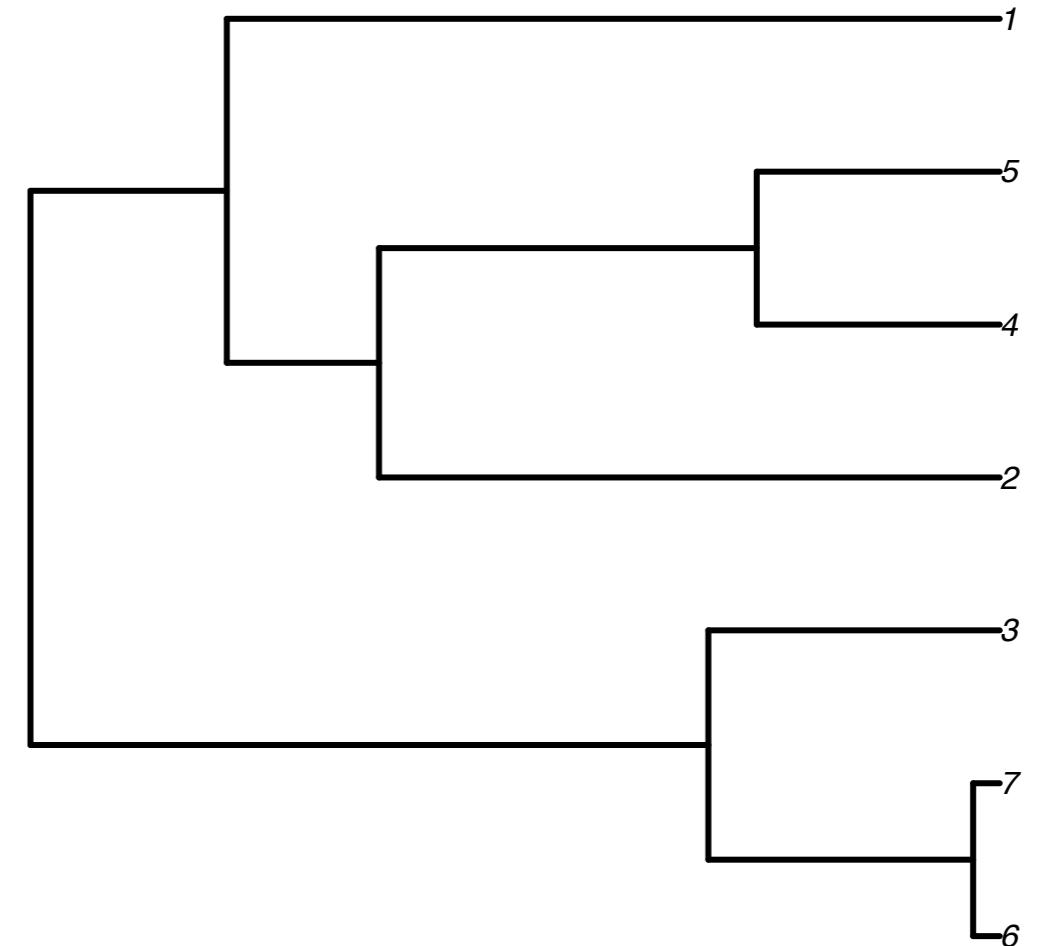
ECOLOGICAL ADAPTIVE RADIATION THEORY

- innovation + ecological opportunity = rapid diversification
- ++speciation & ++disparification

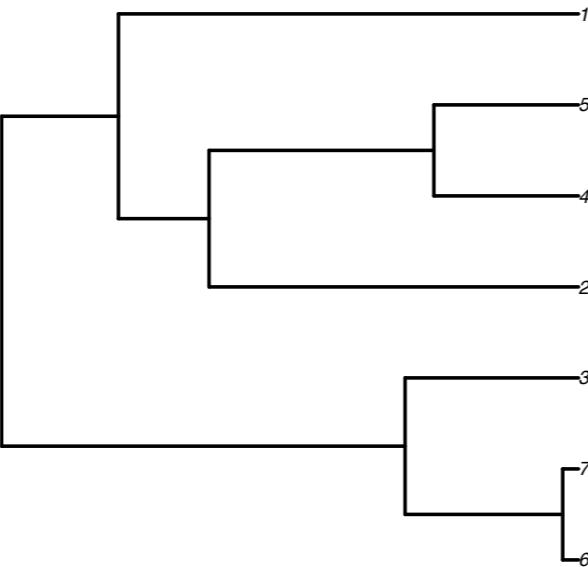


Pure Birth model

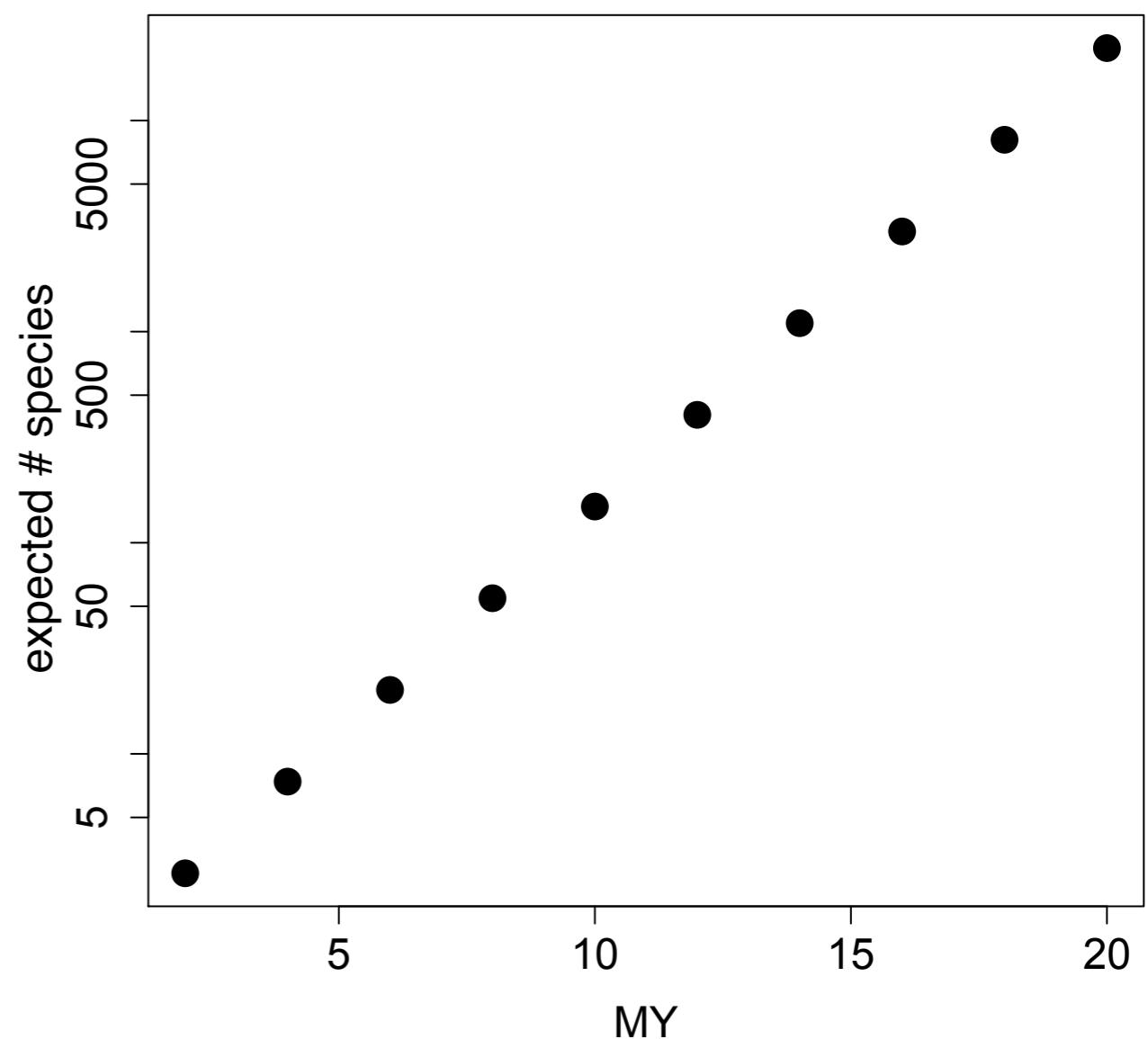
- each lineage has a constant probability of speciating, b
- $b = \text{birth rate}$
- $N(t) = N(0)e^{bt}$



expectations



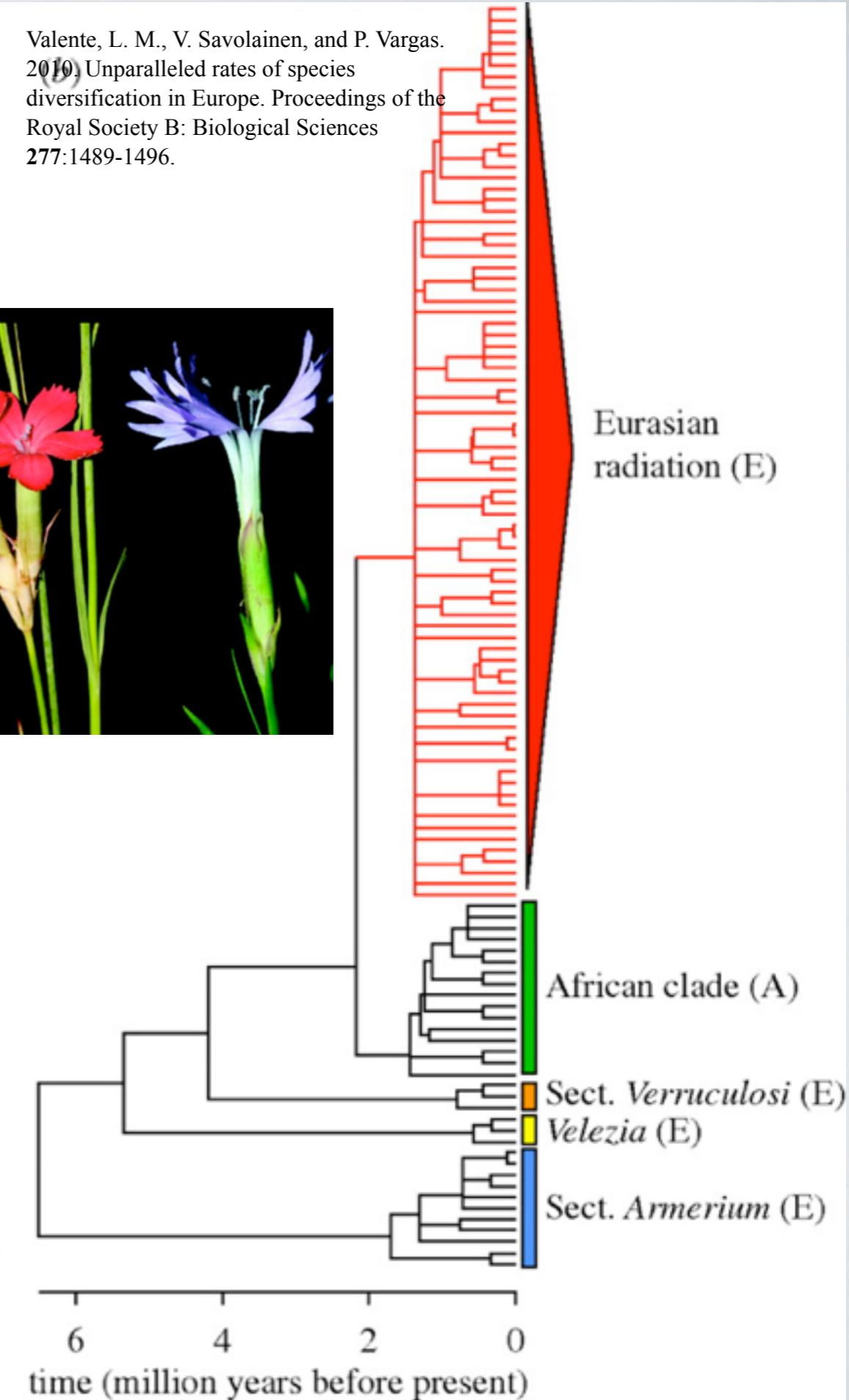
- $N(t) = N(0)e^{bt}$
- lineages
accumulate
exponentially
(why?)



FUN WITH THE PURE BIRTH MODEL

- Carnation birth rate = b 7.6 species/my
- how many carnations will there be in 10 million years?
- what does this tell you about the pure birth model?

Valente, L. M., V. Savolainen, and P. Vargas.
2010. Unparalleled rates of species diversification in Europe. Proceedings of the Royal Society B: Biological Sciences 277:1489-1496.

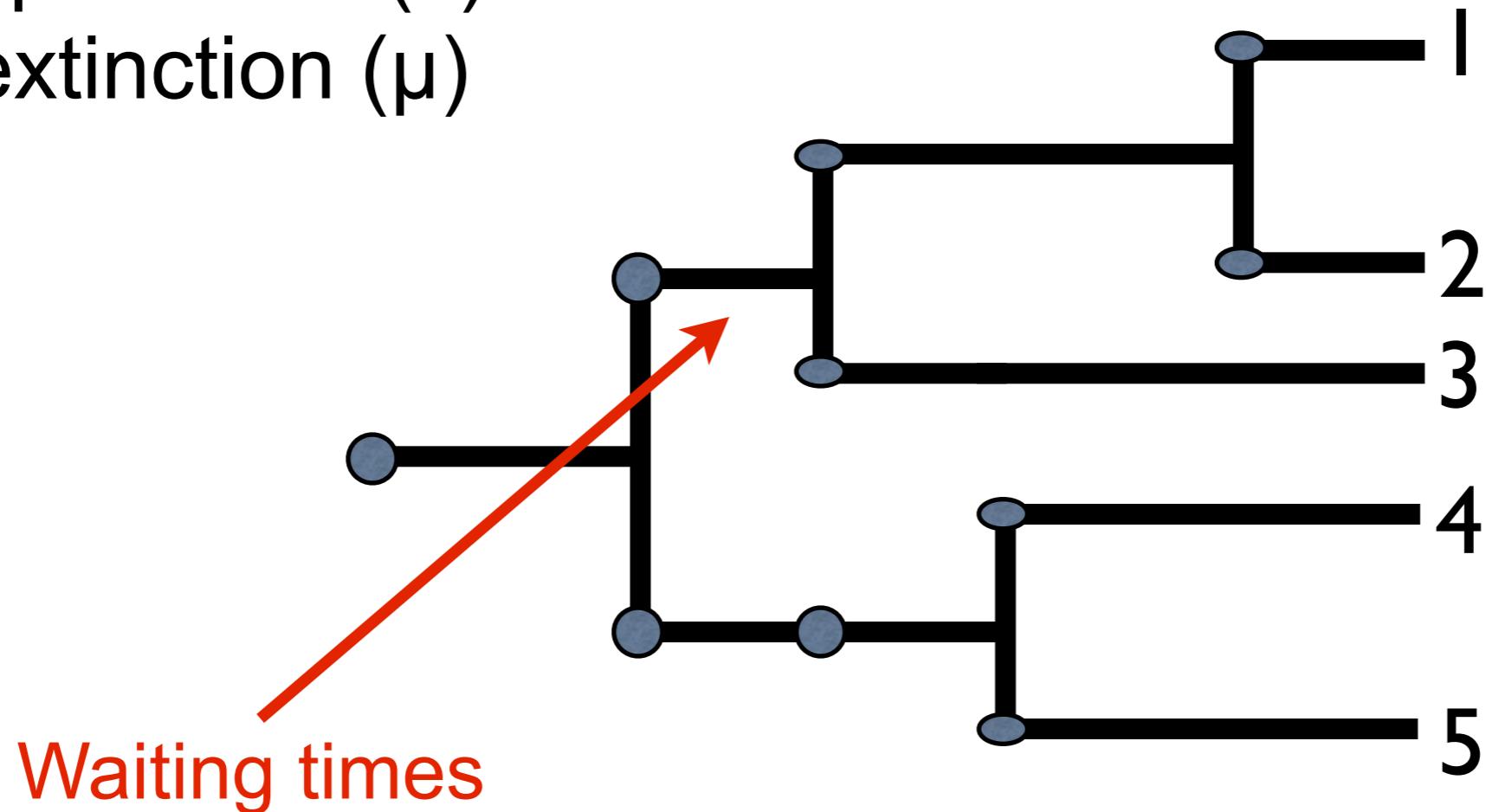


an improvement: the birth-death model

- Assumptions:
 - Speciation and extinction occur randomly
 - Each lineage has an equal and constant rate of speciation, b , and extinction, d

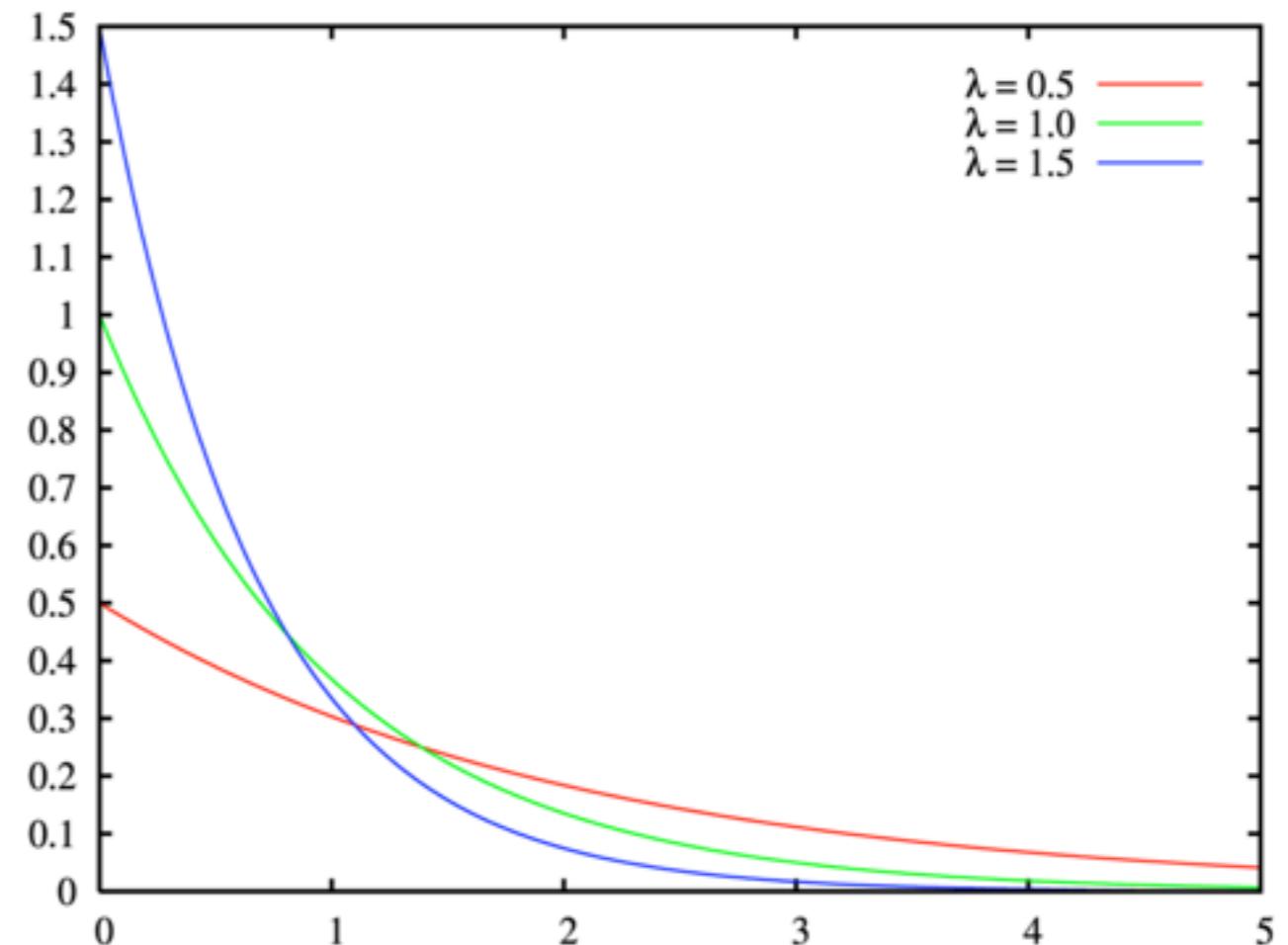
Diversification Model

- Model: birth-death
- Every lineage has constant probability of:
 - speciation (λ)
 - extinction (μ)



Waiting times

- Under a birth-death model, the time intervals between successive events are always drawn from exponential distributions



$$f(x; \lambda) = \begin{cases} \lambda e^{-\lambda x} & , x \geq 0, \\ 0 & , x < 0. \end{cases}$$

Expected species diversity under a birth-death model:

$$E[N_t] = N_o e^{(b-d)t}$$

N_t = species diversity after time t

N_o = starting species diversity

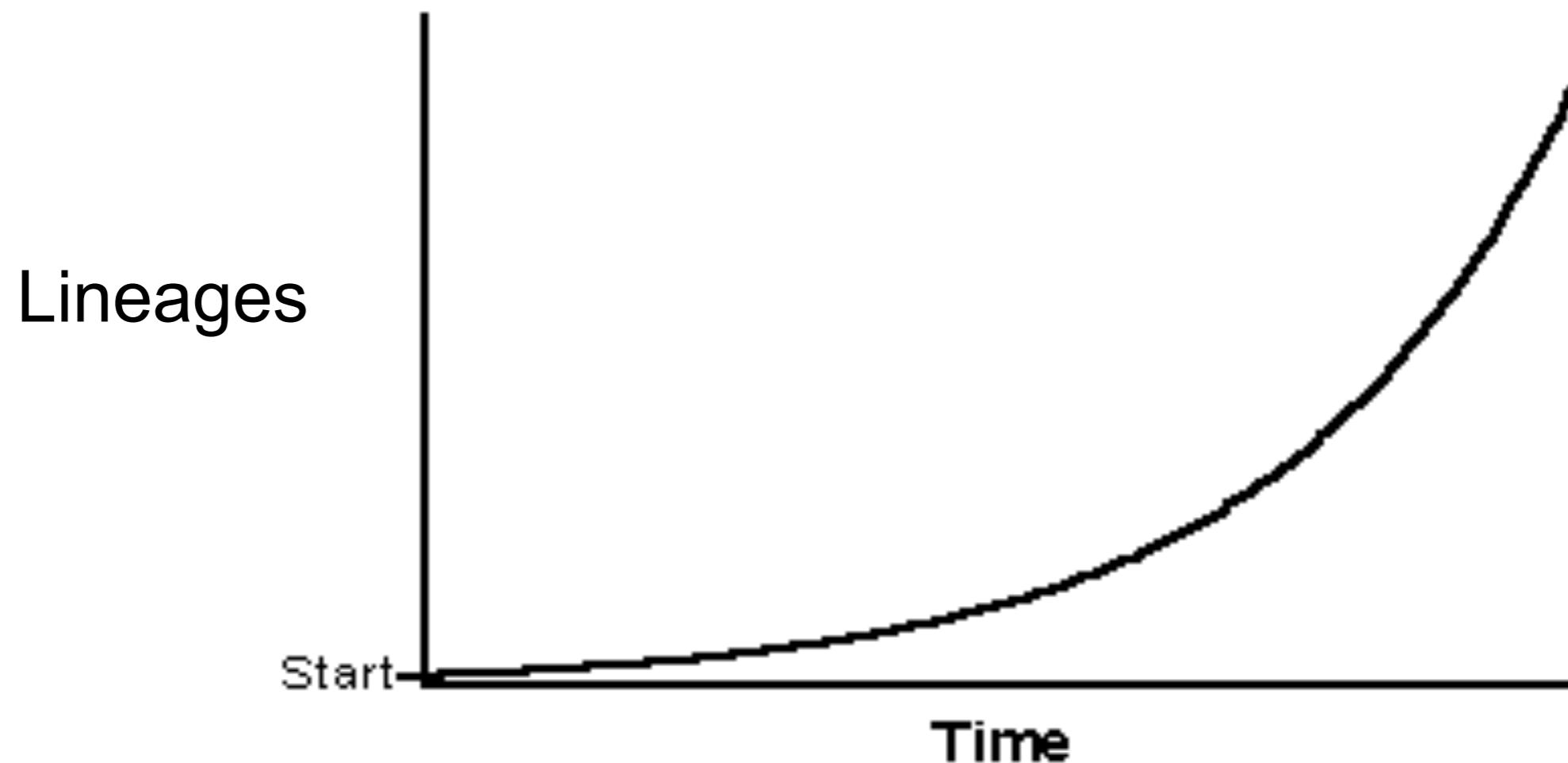
b = birth rate

d = death rate

t = time

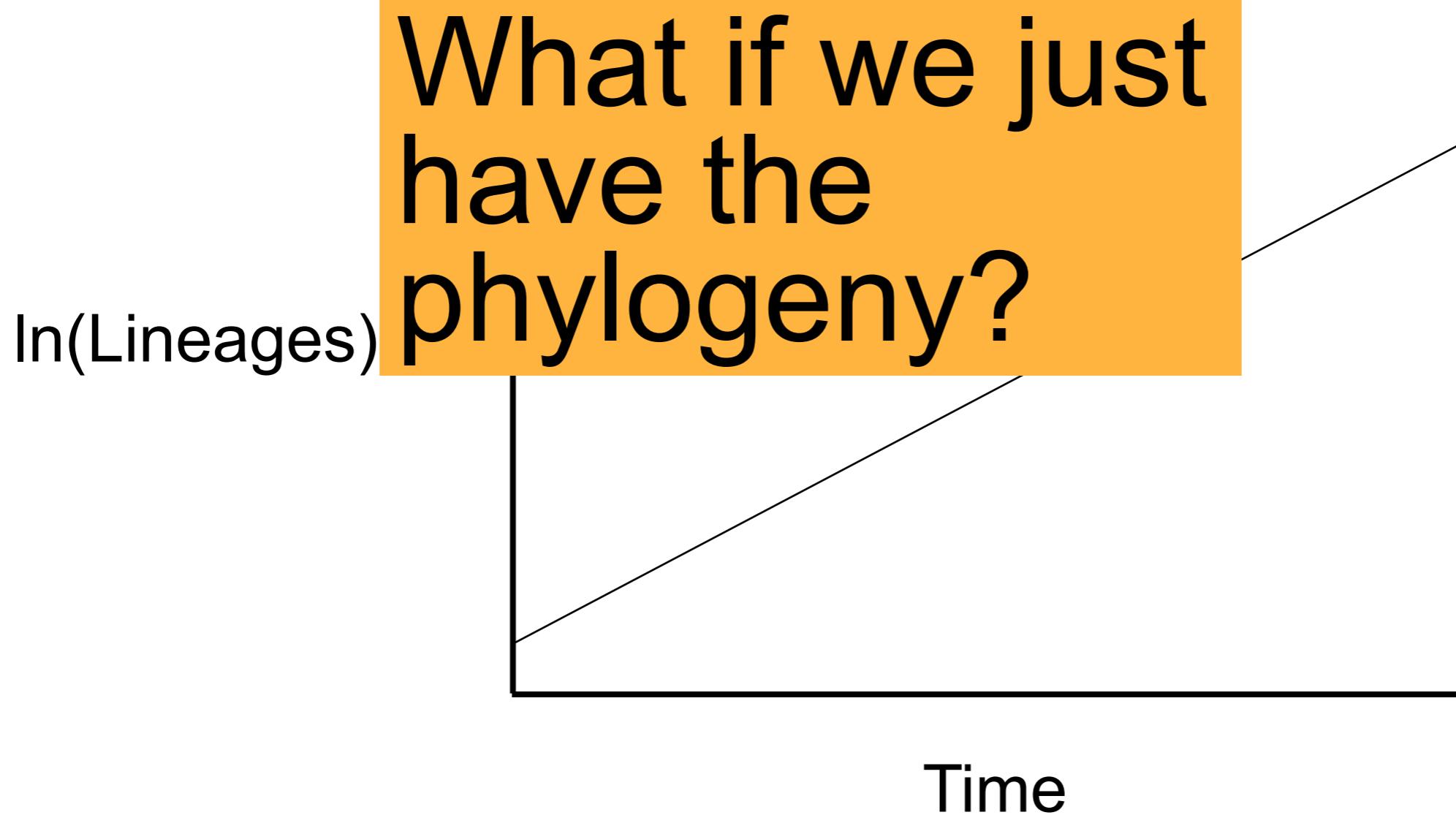
Species Accumulation

- Expected number of species increases exponentially with $\lambda - \mu$

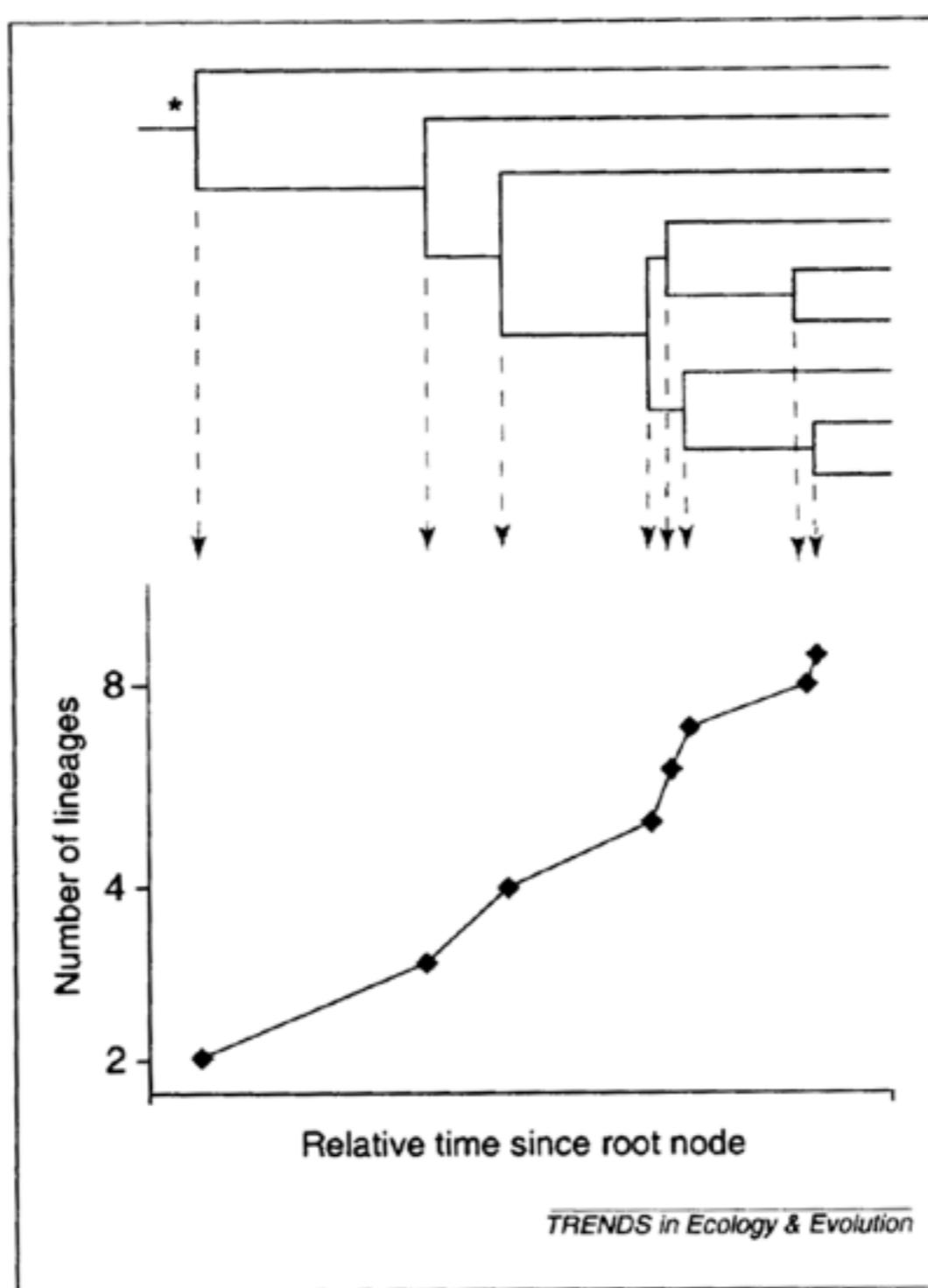


Diversification Model

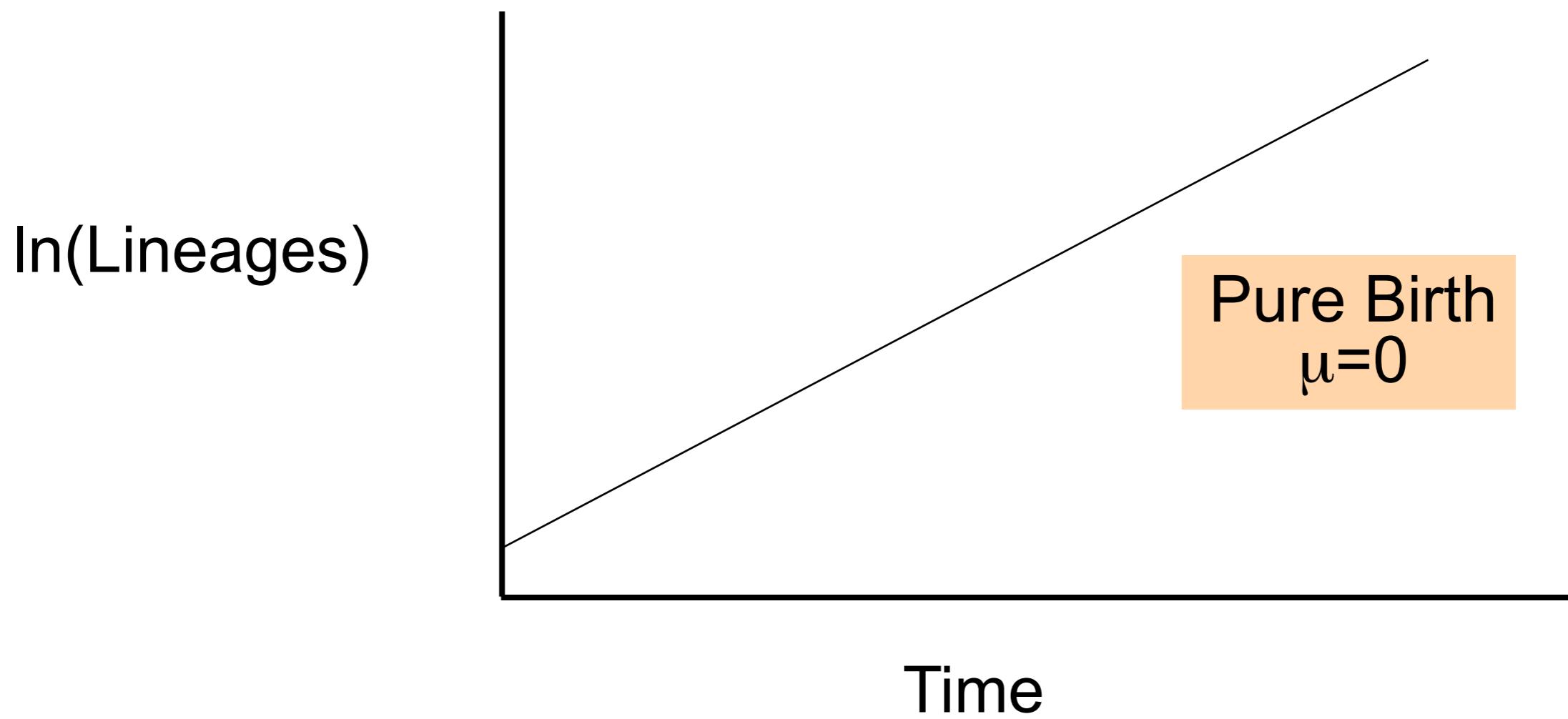
- Expected number of species increases exponentially with $\lambda - \mu$



Lineage-through-time

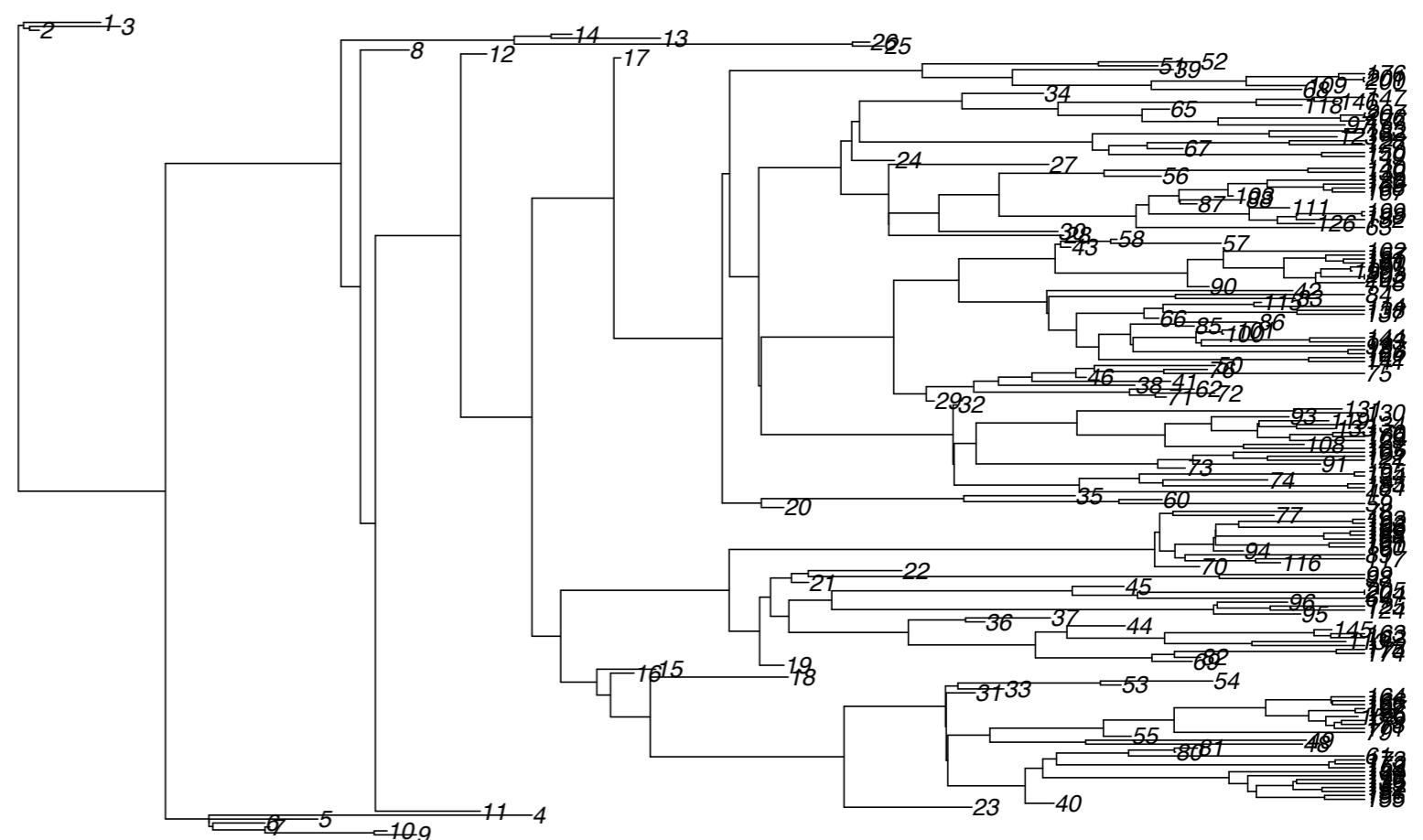
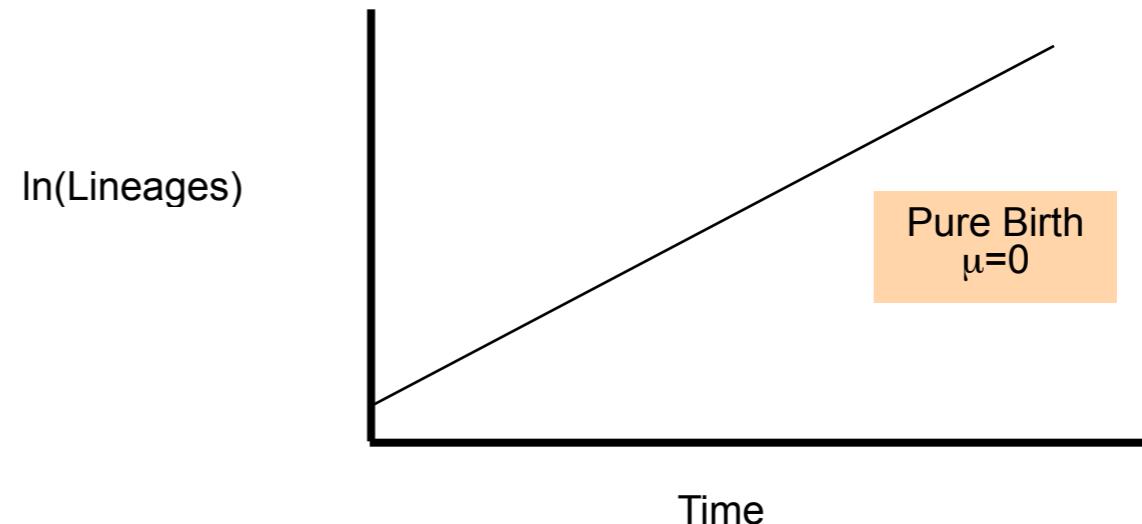


LTT Plot



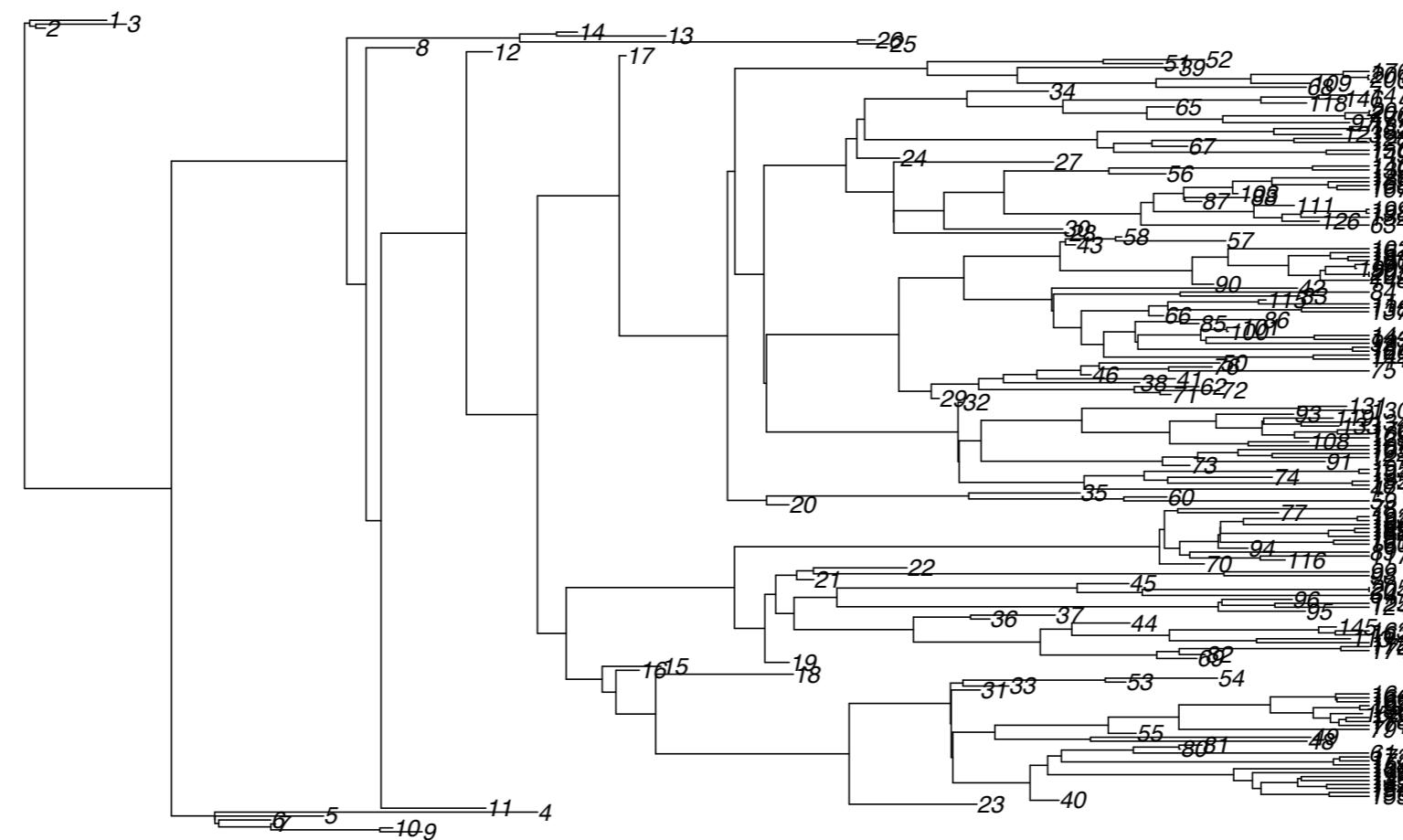
Think about extinction

- how should extinction affect the rate of species accumulation in a phylogeny? why?
 - can we infer extinction from phylogenetic data?

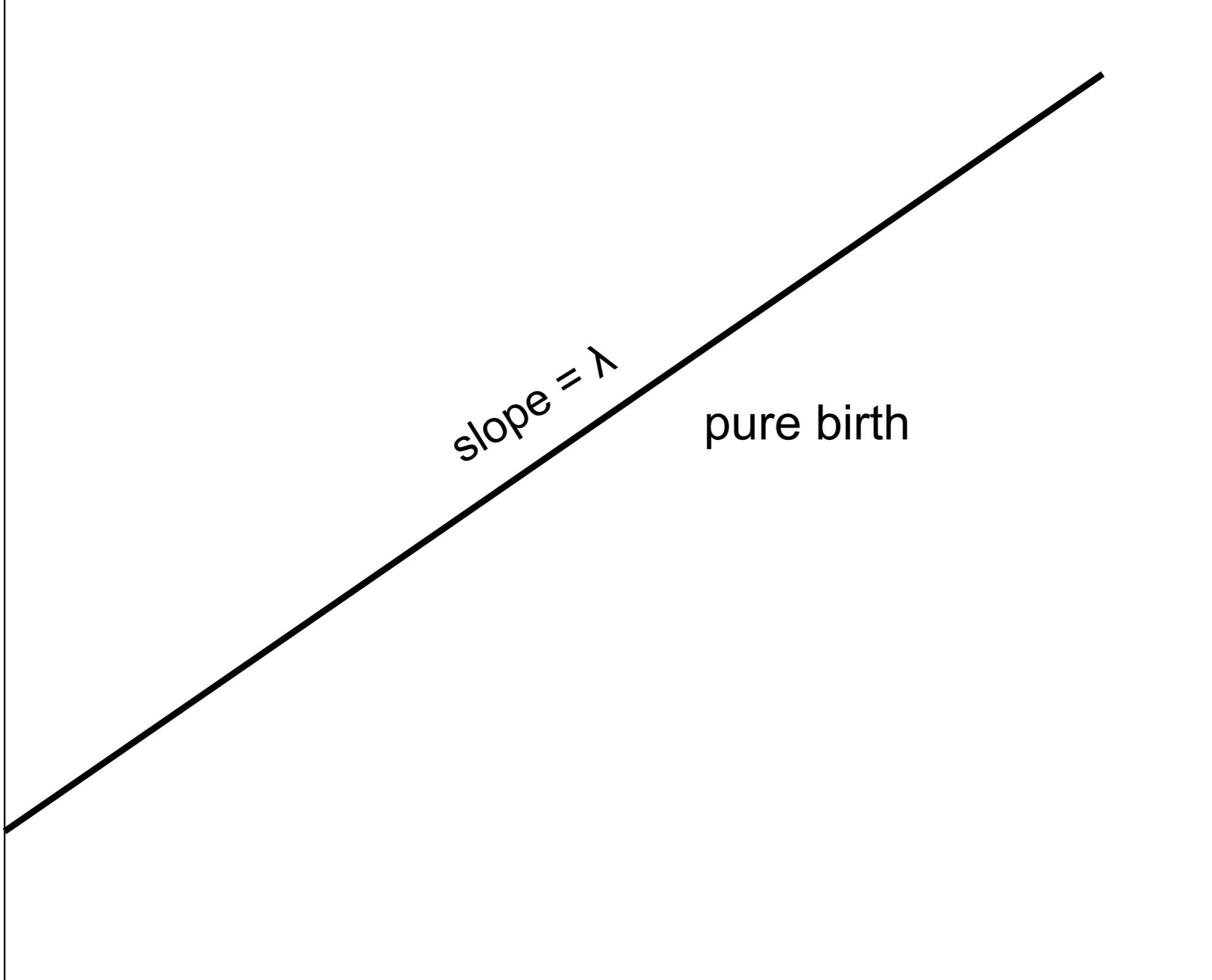


Extinction

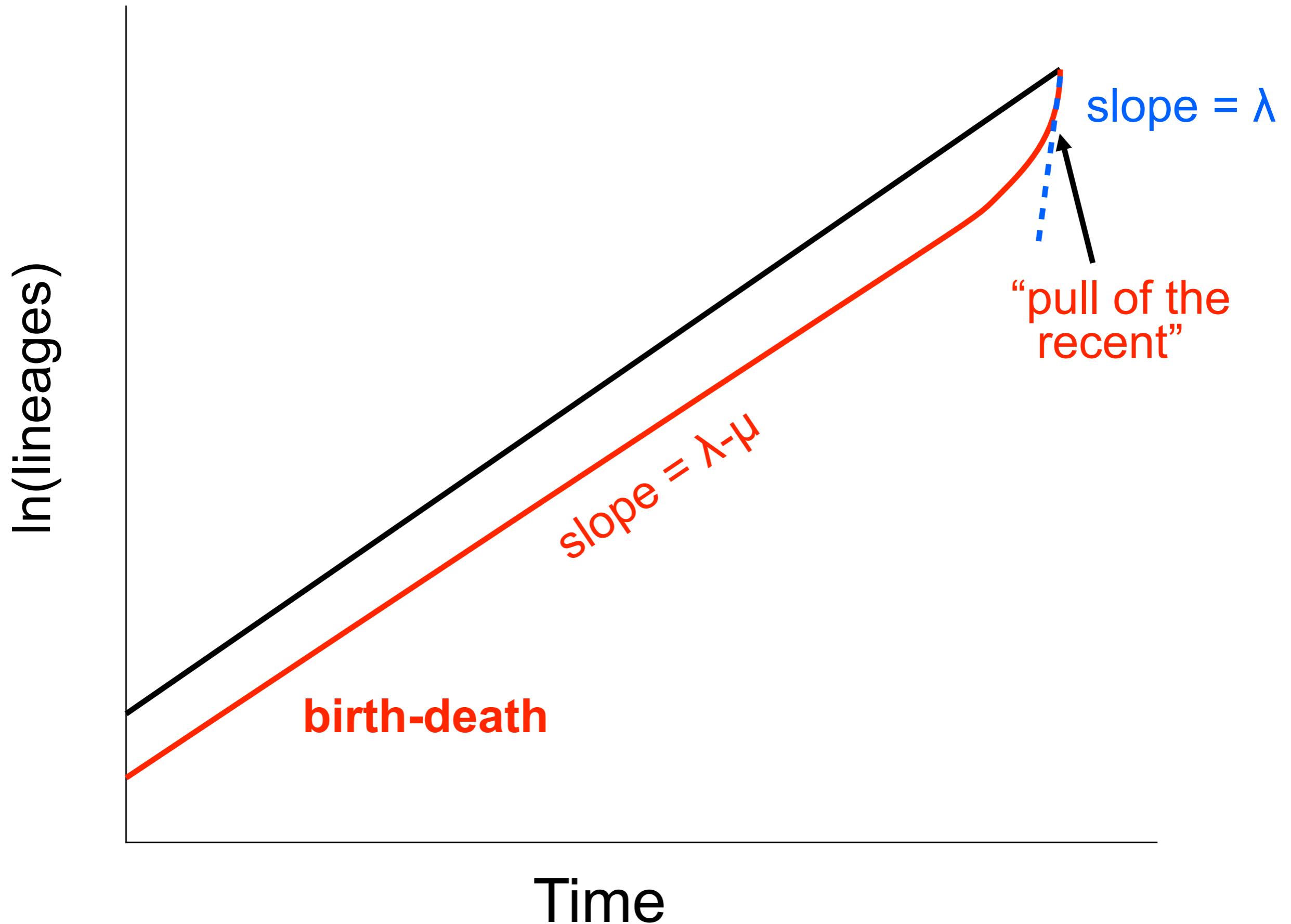
- Can leave an imprint on present-day phylogenies
- Older lineages are more likely to have gone extinct than younger ones

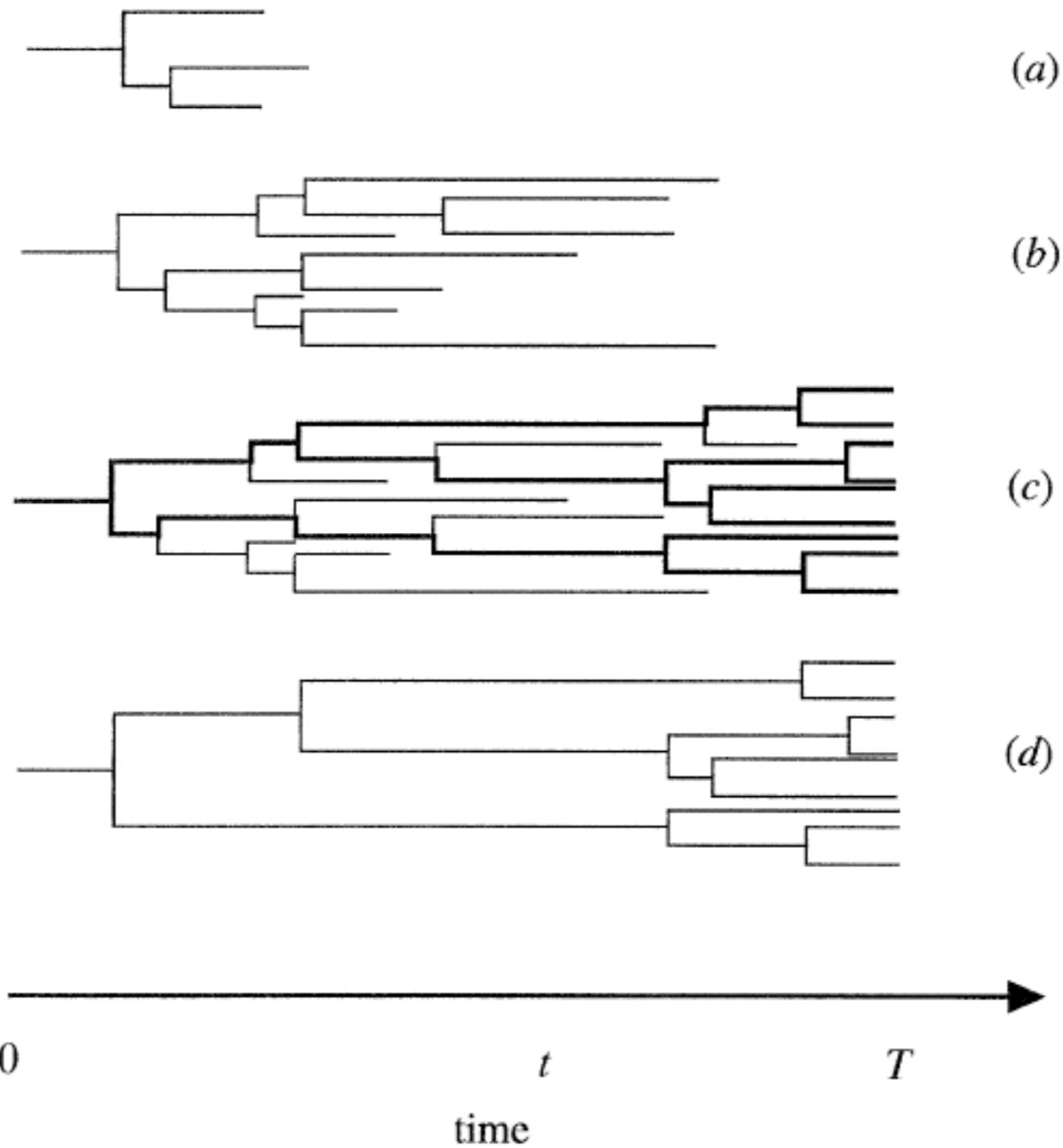


$\ln(\text{lineages})$

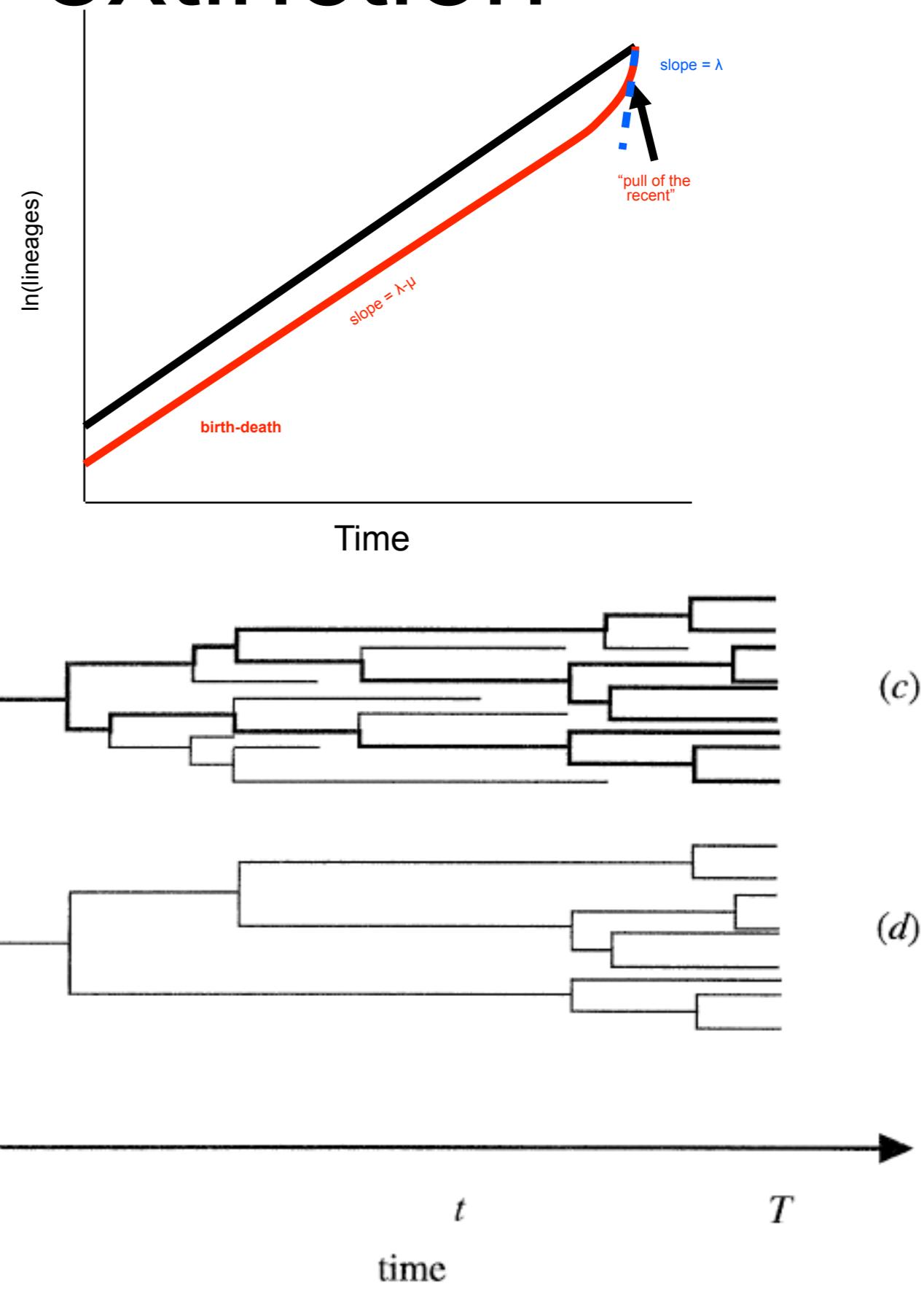
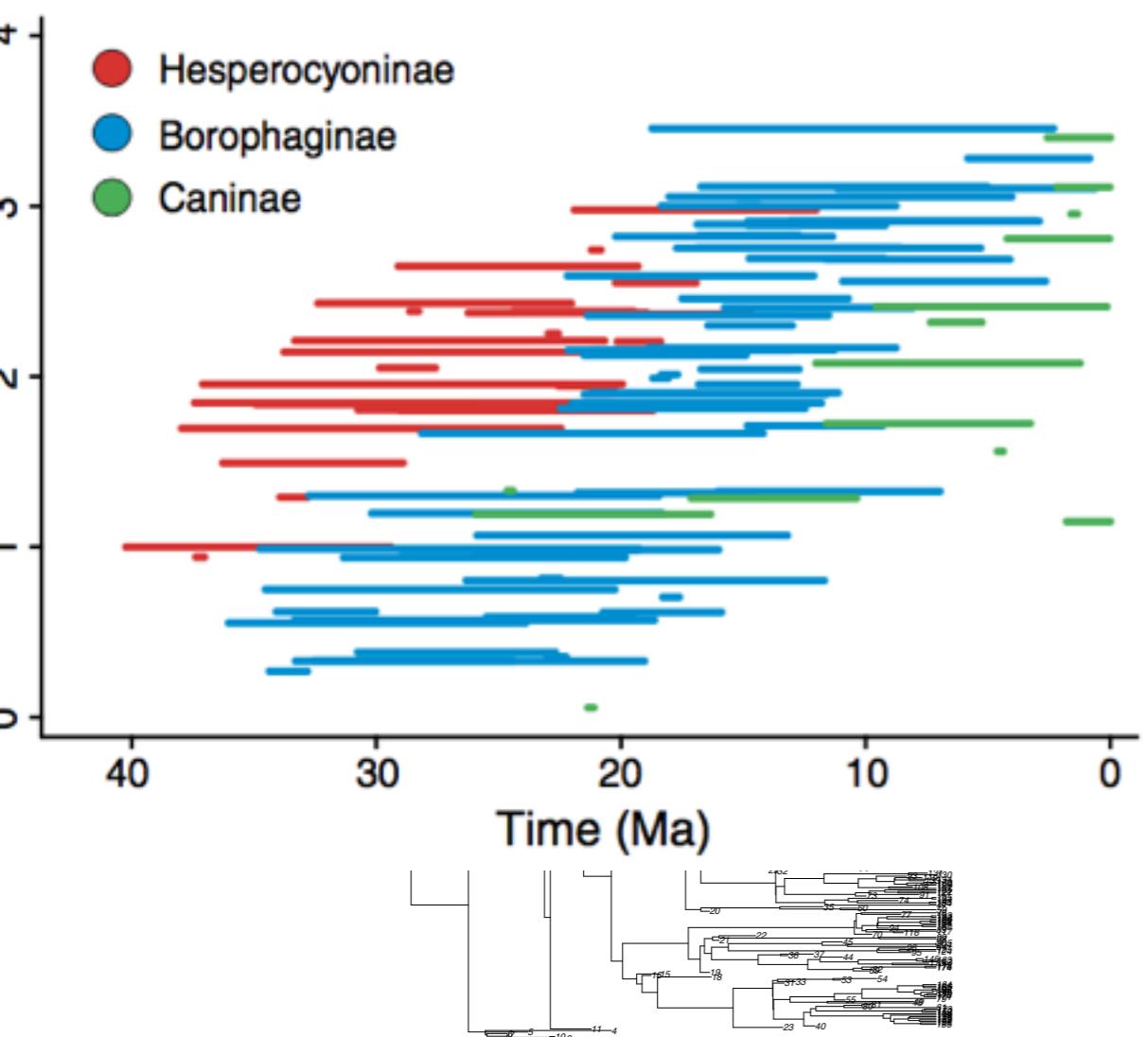


Time

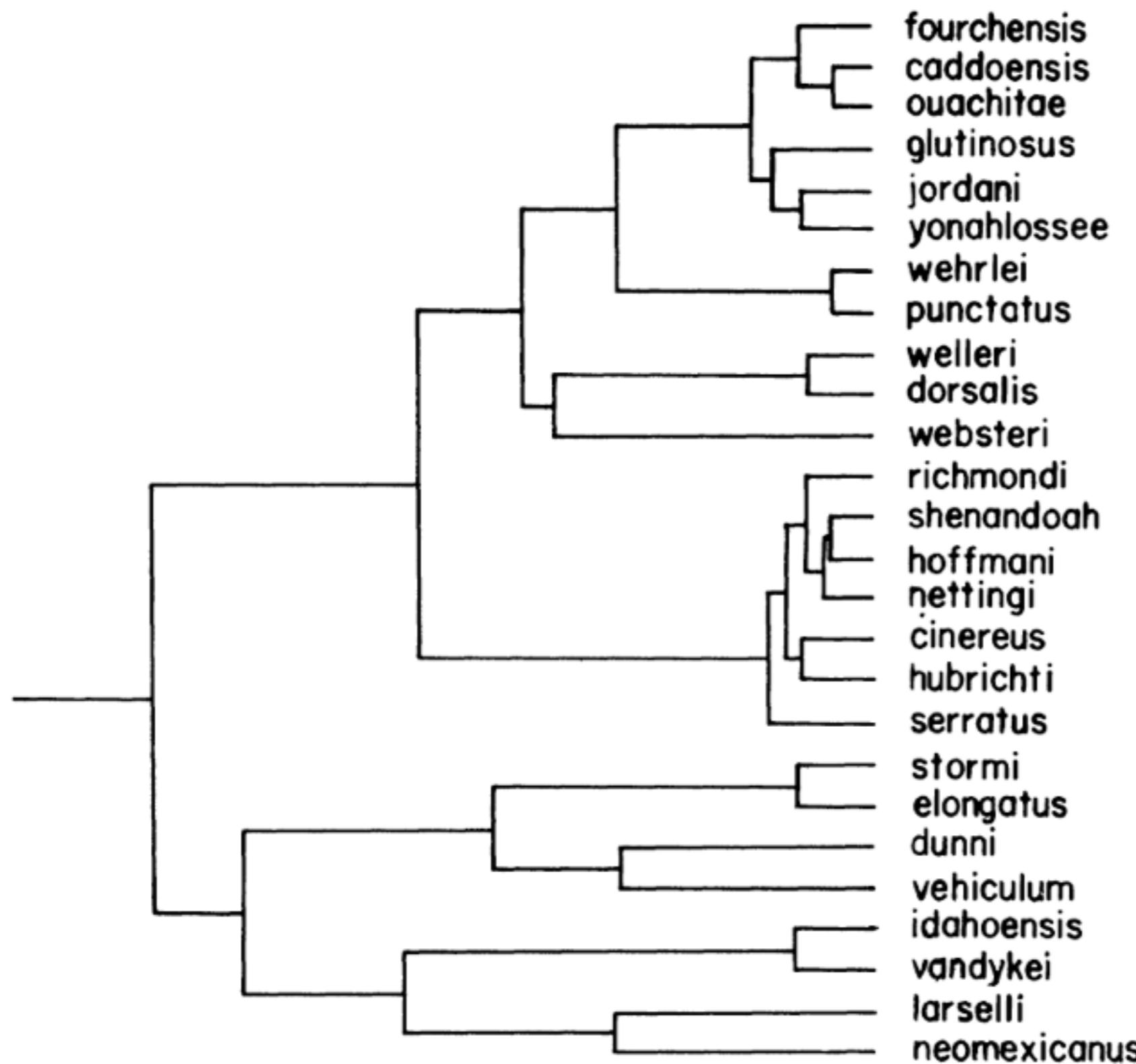




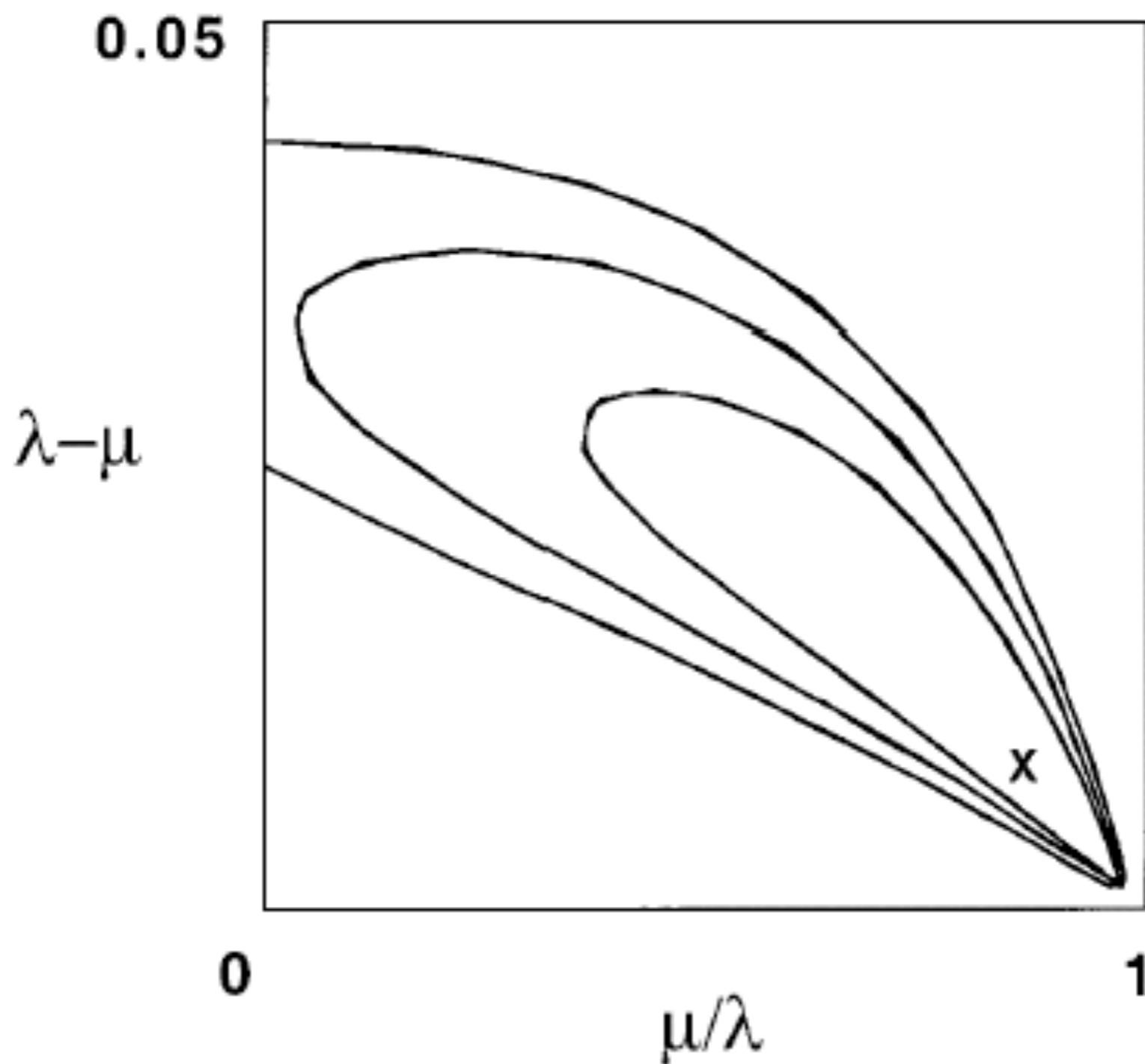
fossil versus molecular signature of extinction



Plethodontid salamanders

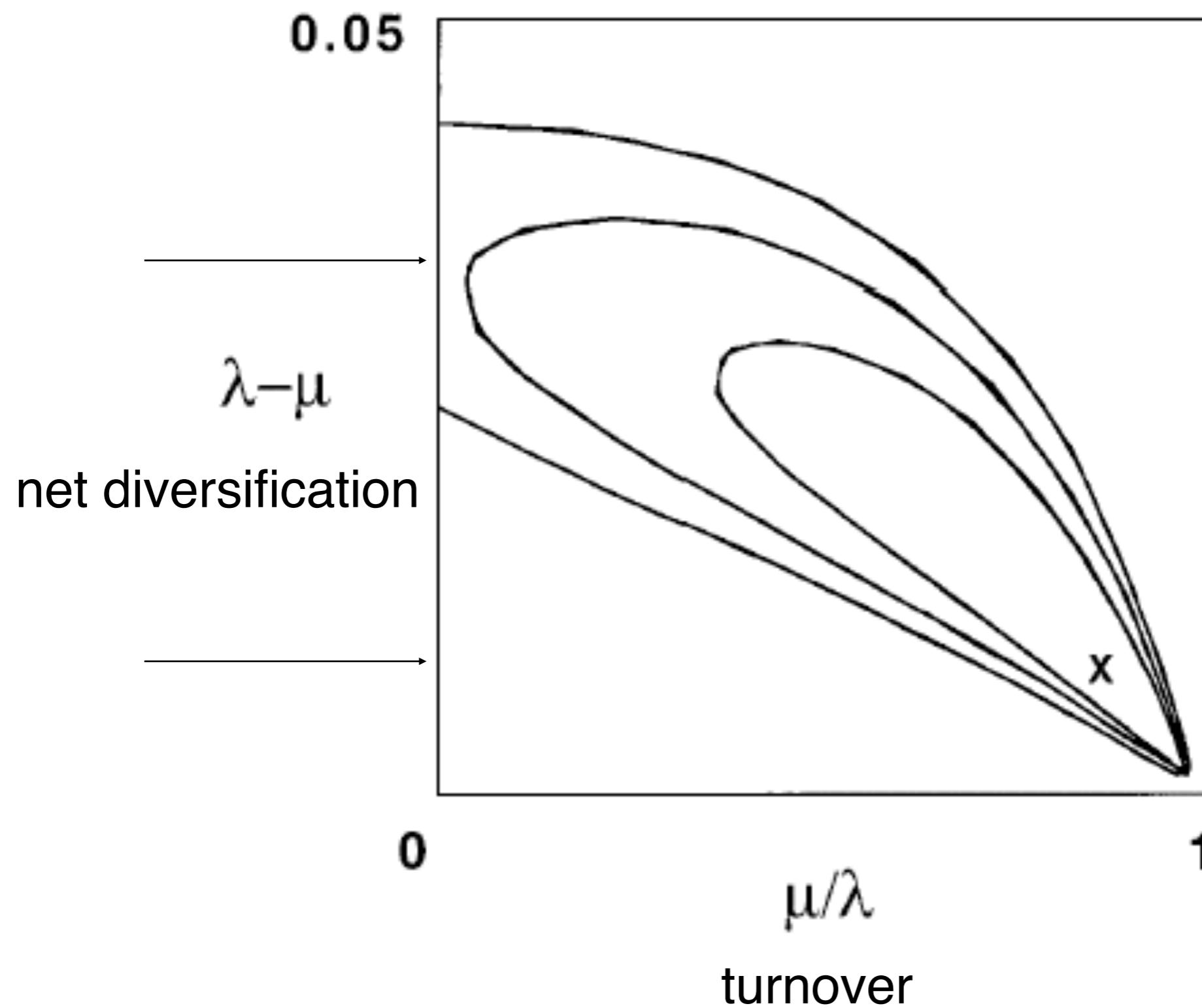


Plethodontid salamanders



from Nee 2001

Plethodontid salamanders

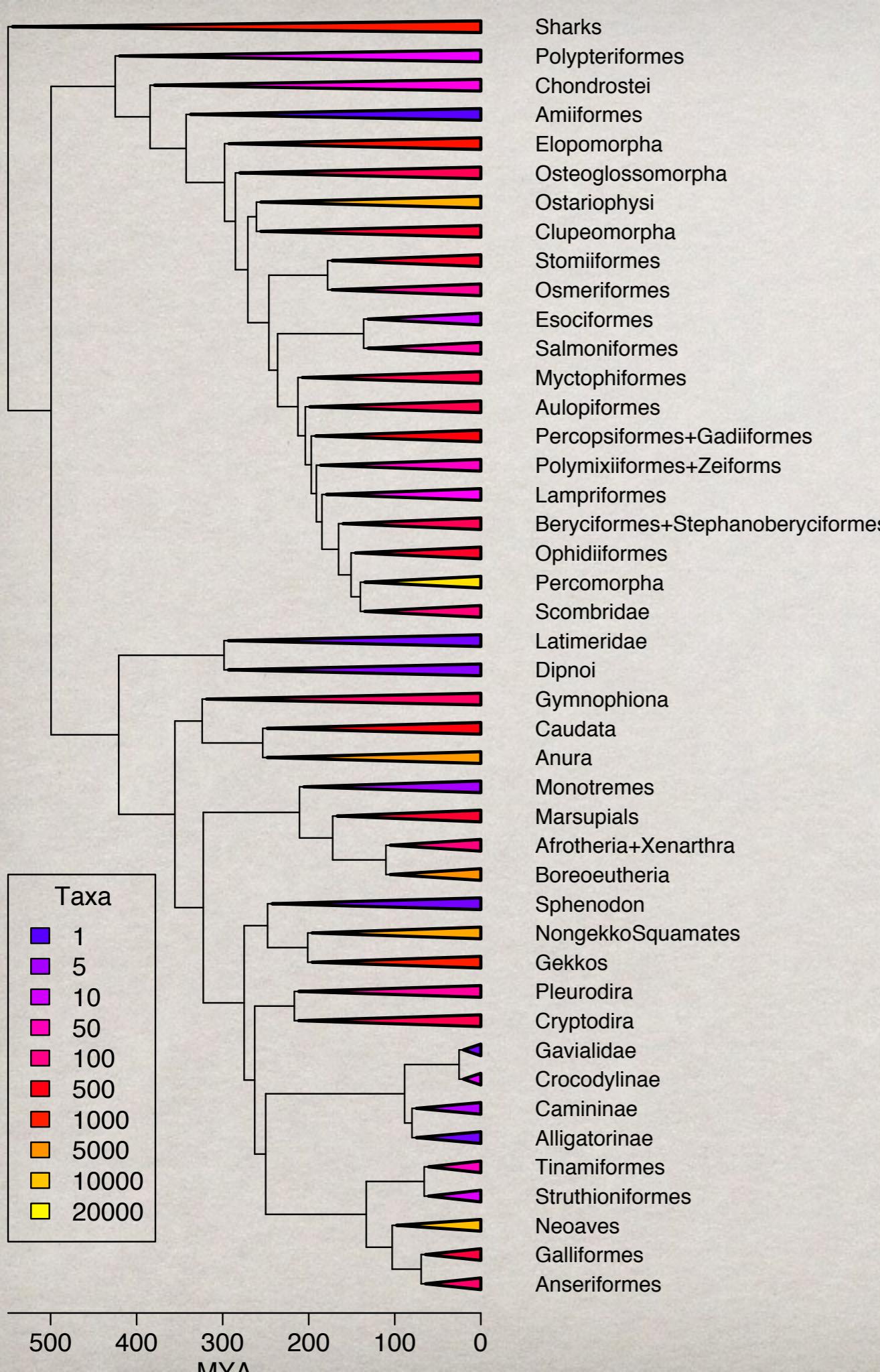


from Nee 2001

We can use ML or Bayesian methods
to analyze data, estimate parameters, and
carry out model selection

Models have grown in sophistication since Nee 2001

HOW FAST DID GNATHOSTOMES DIVERSIFY?



$$1. \lambda_G = [\log(n) - \log 2]/t$$

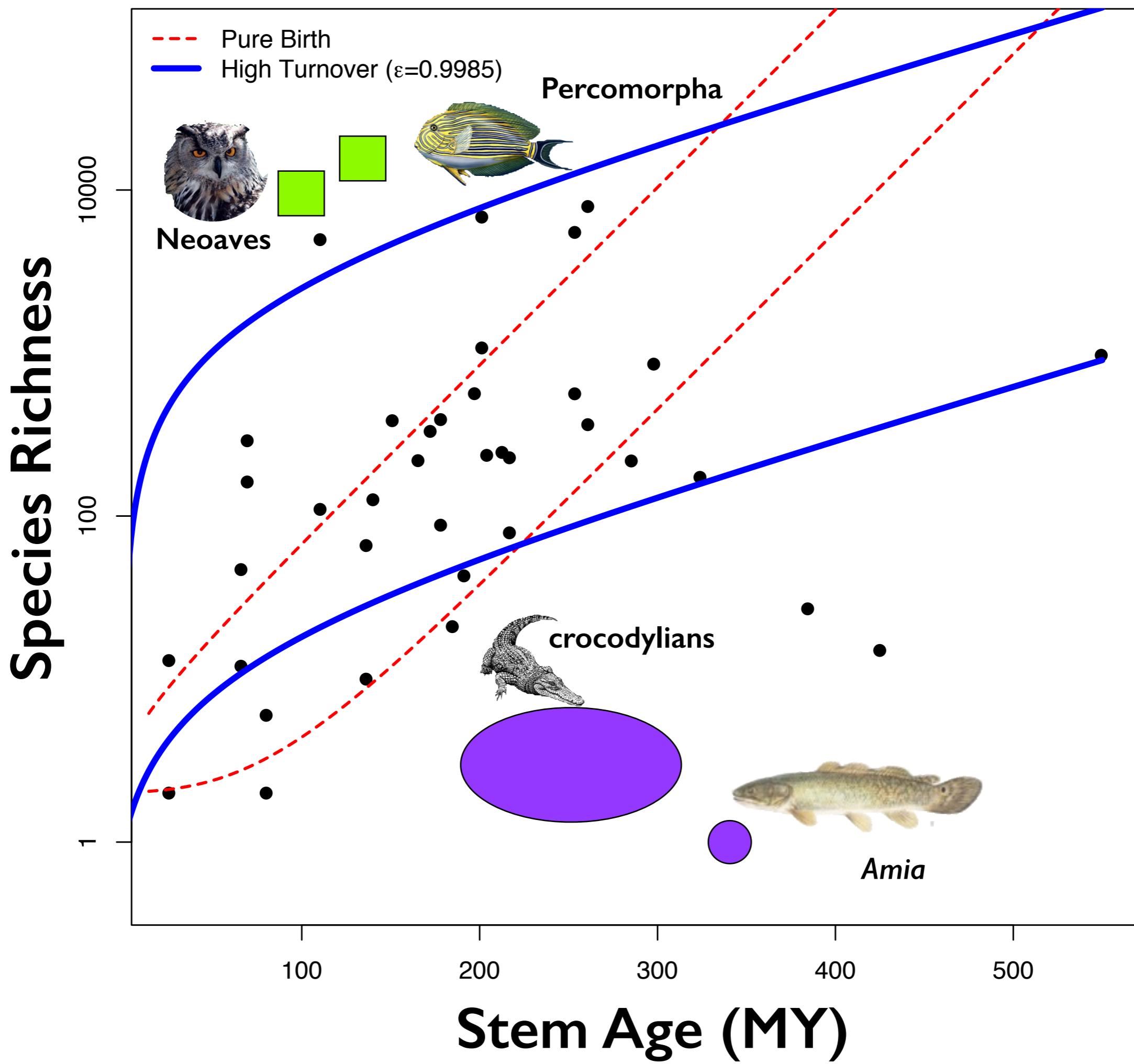
$$n = 57,859 \text{ species}$$

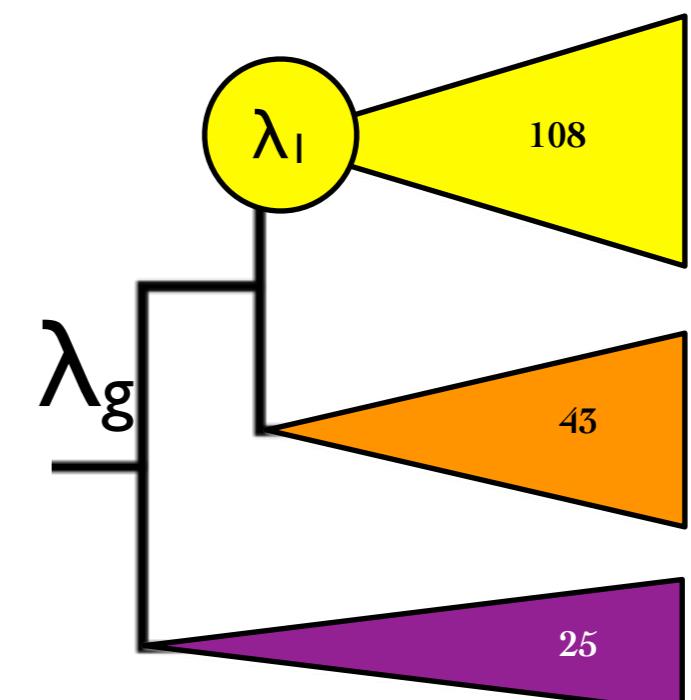
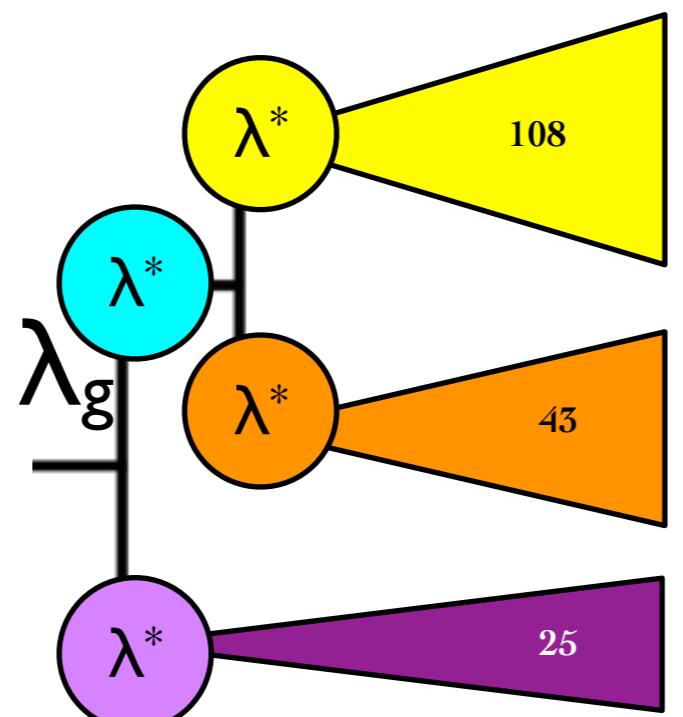
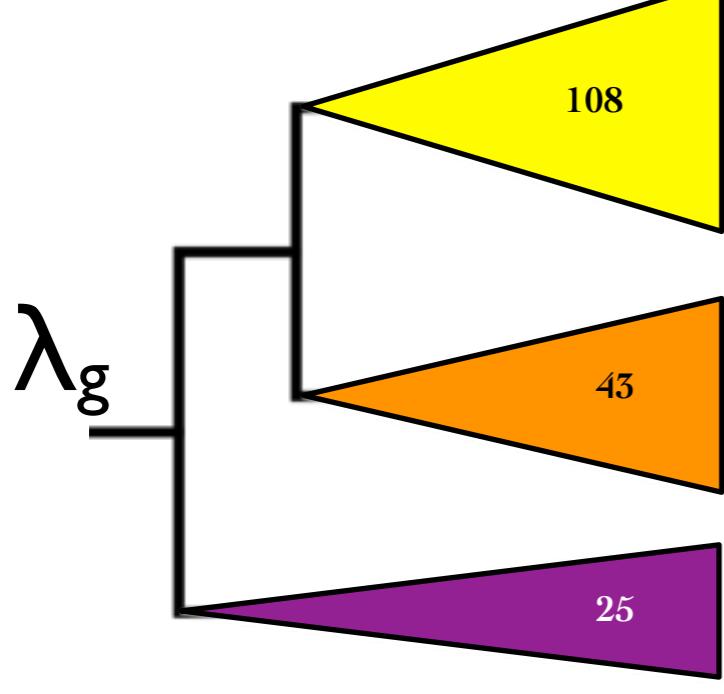
$$t = 549 \text{ mya}$$

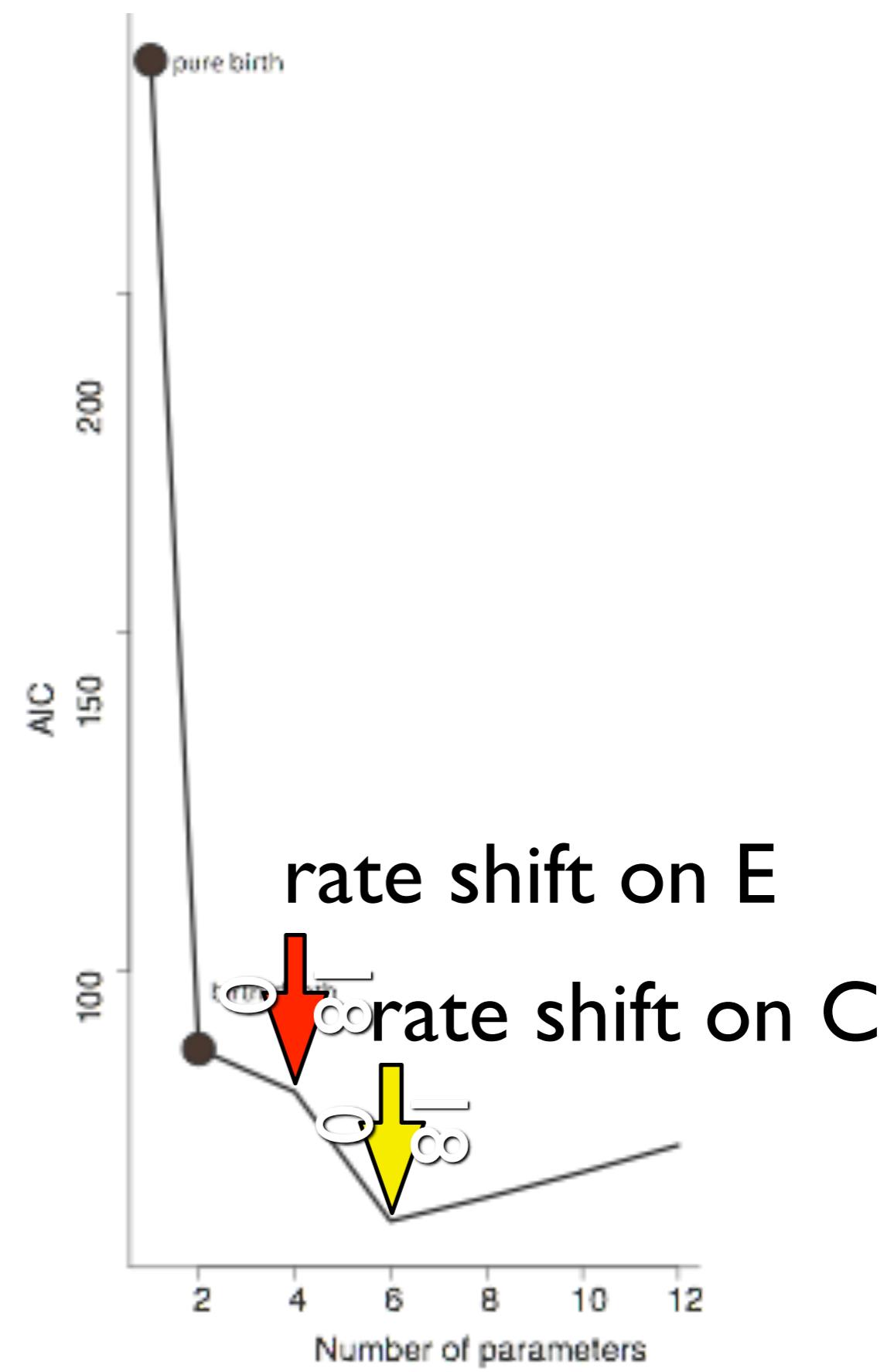
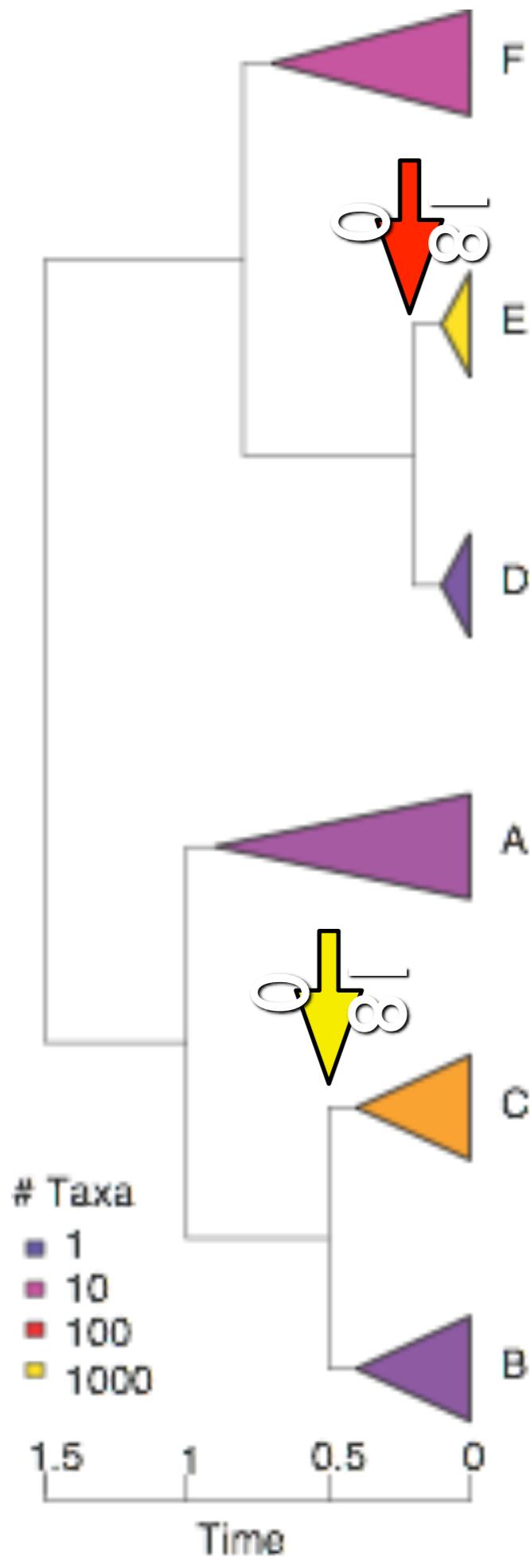
$$\lambda_G = \frac{\ln(n) - \ln(2)}{t}$$

$$\lambda_G = \frac{\ln(57859) - \ln(2)}{549}$$

$$\lambda_G = 0.019$$









What Can MEDUSA Do For You?

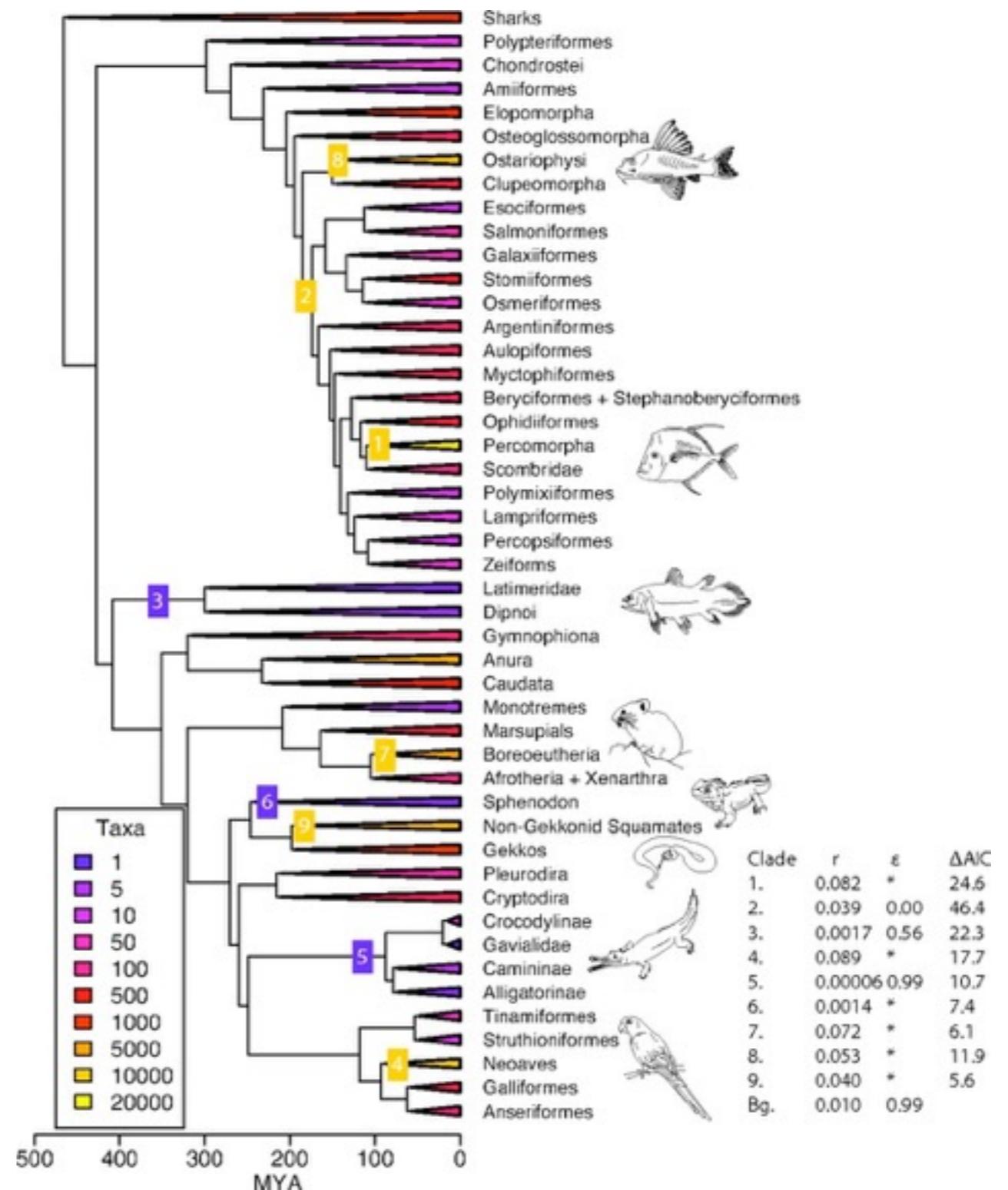
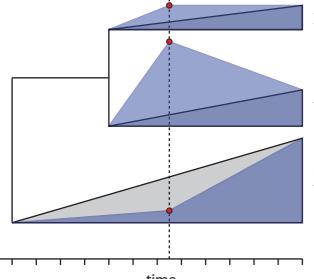
MEDUSA

- Learn about diversification dynamics through fitting piecewise models of birth (λ) and death (μ)

- Where have rates changed?
- By what magnitude?
- Why do clades differ in size?

$$r = \text{net diversification rate} \\ = \lambda - \mu$$

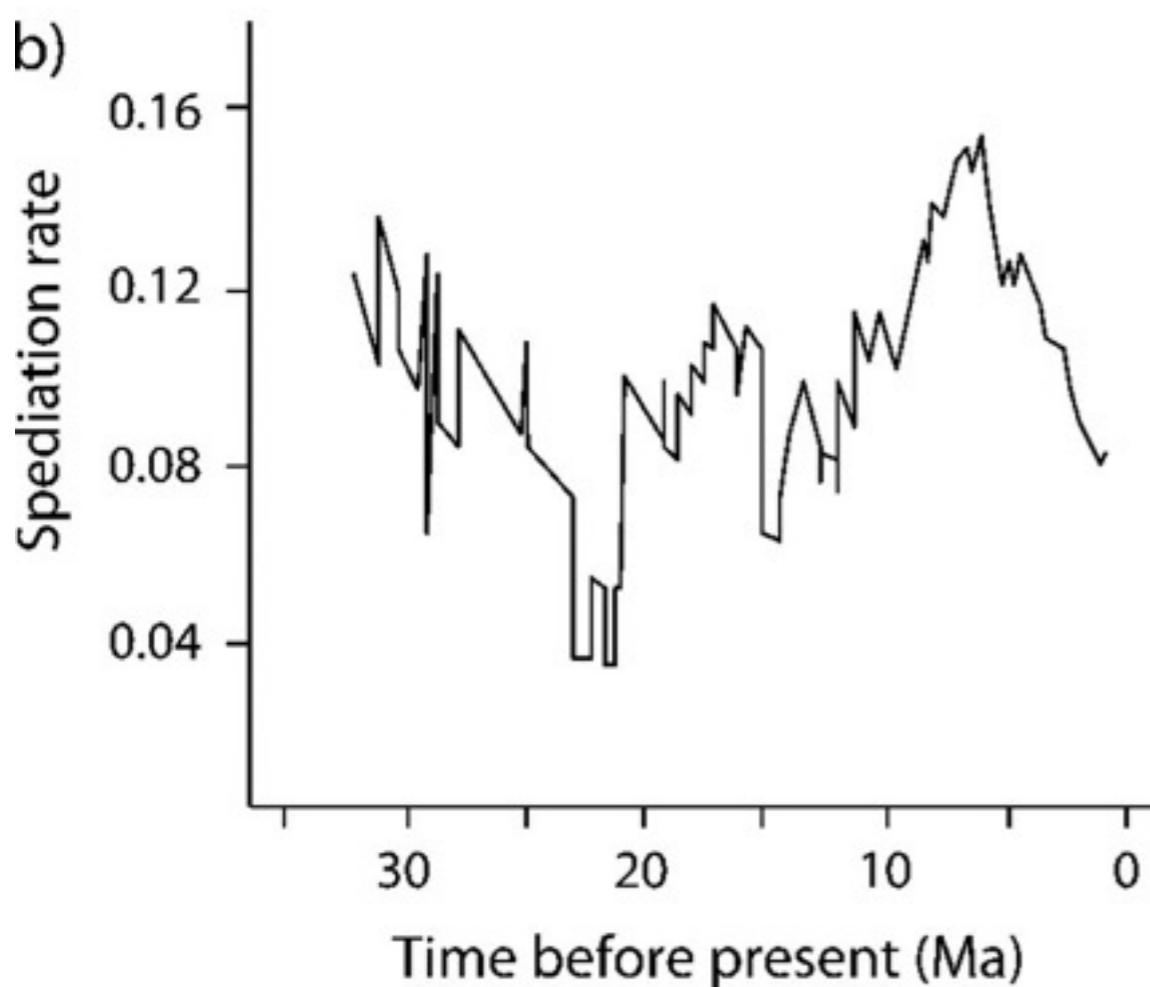
$$\epsilon = \text{extinction fraction} \\ = \mu / \lambda$$



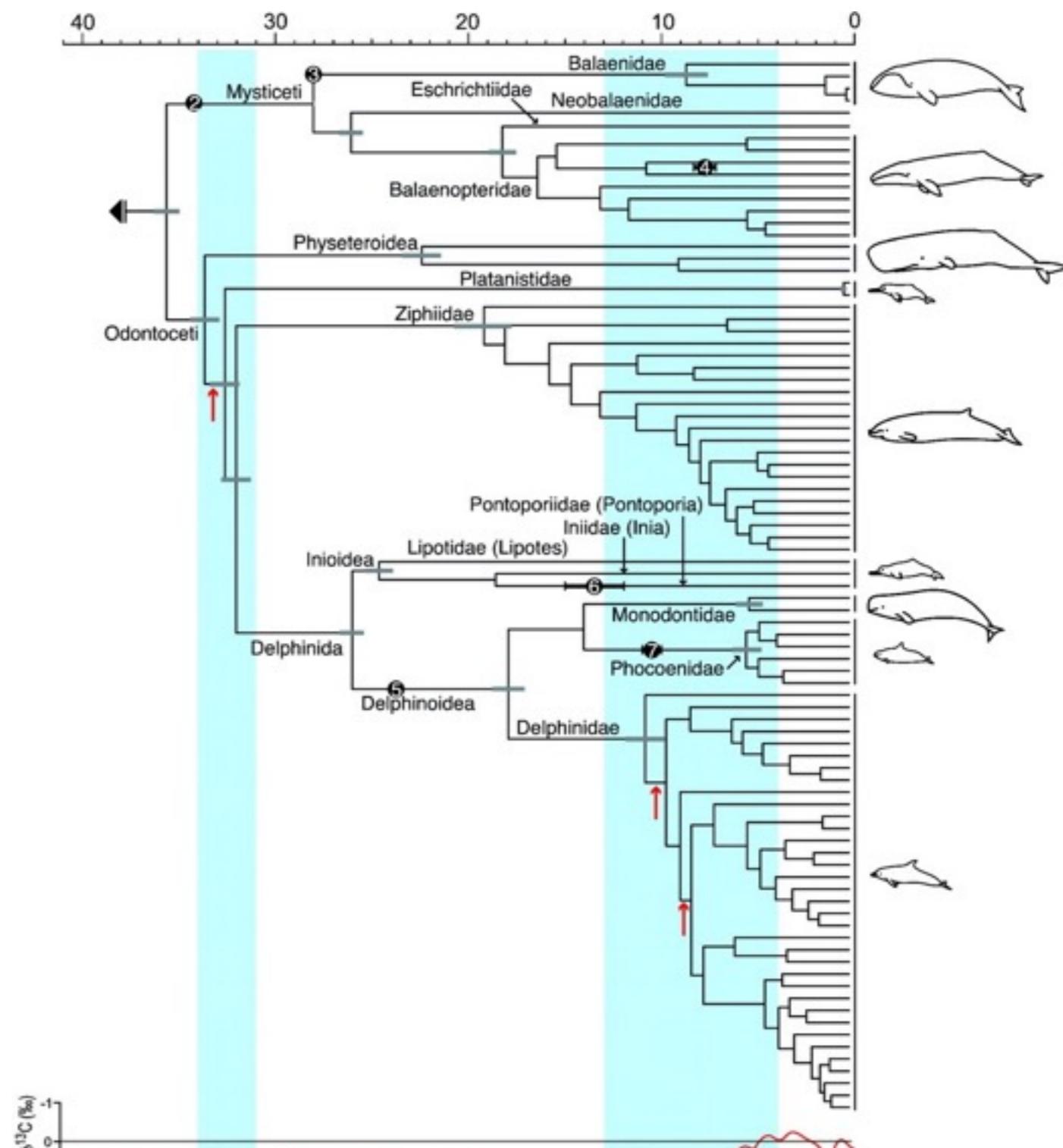
Alfaro et al. 2009 PNAS

More recent models allow for diversity dependence

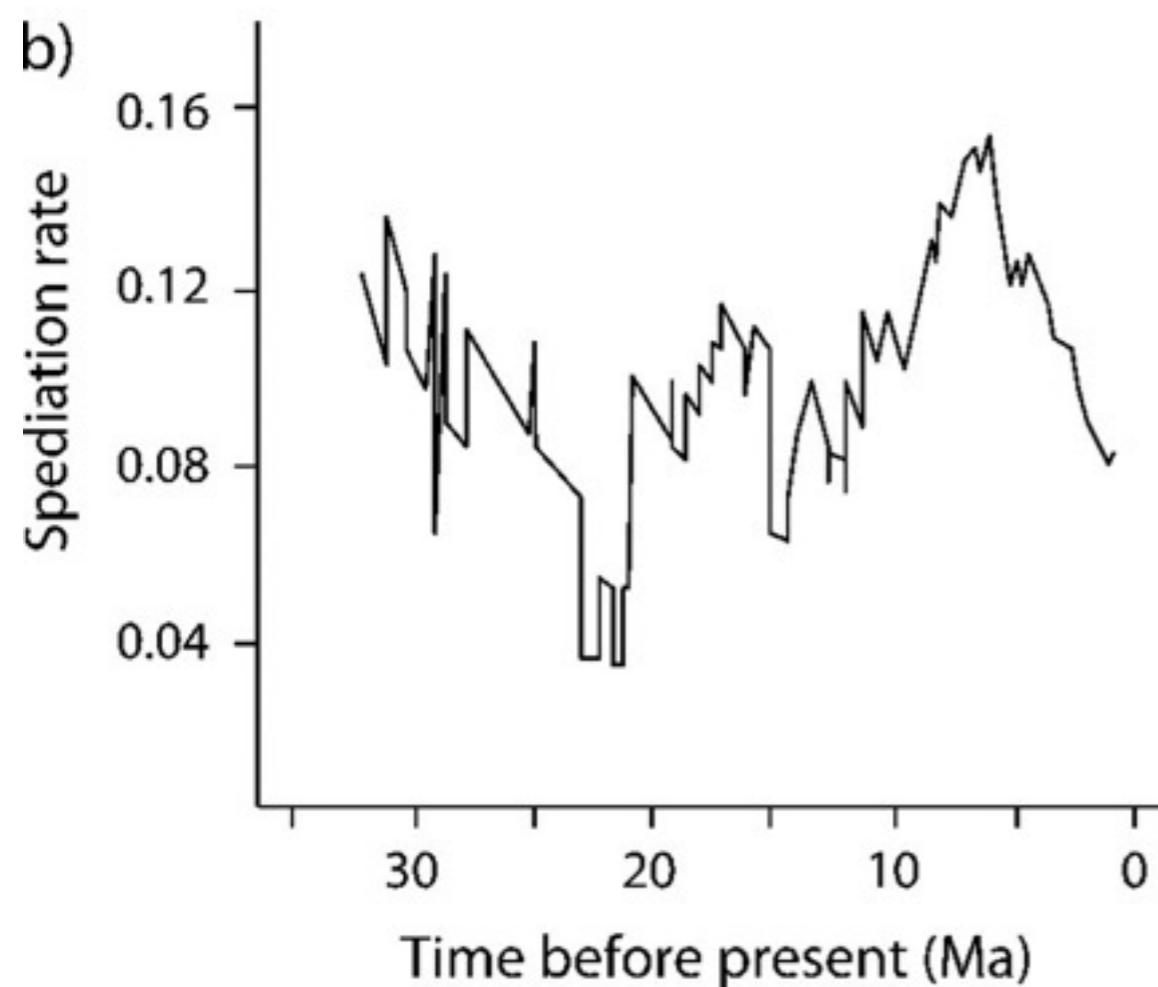
BAMM, RPANDA, and trait independent diversification



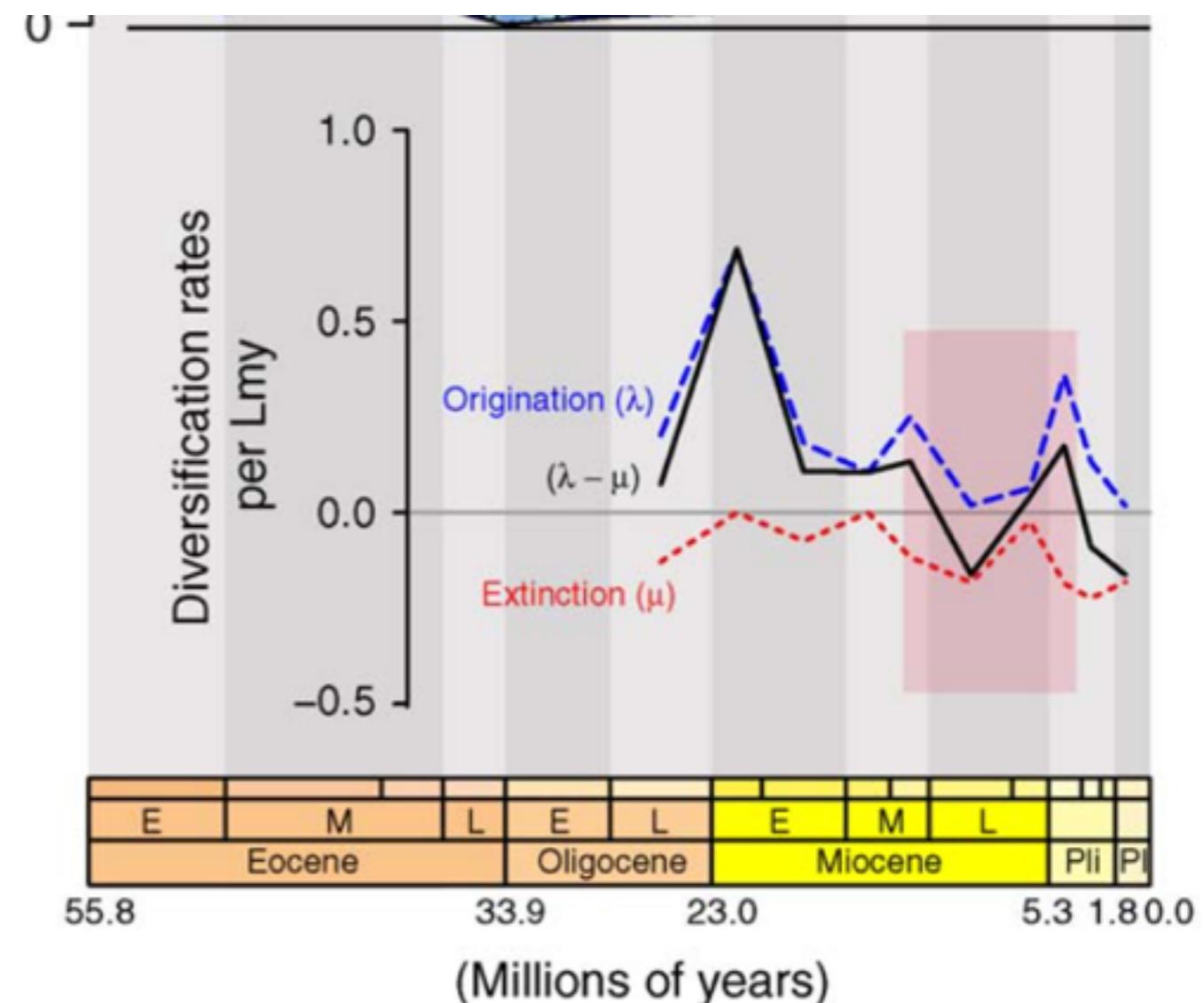
Steeman et al 2009



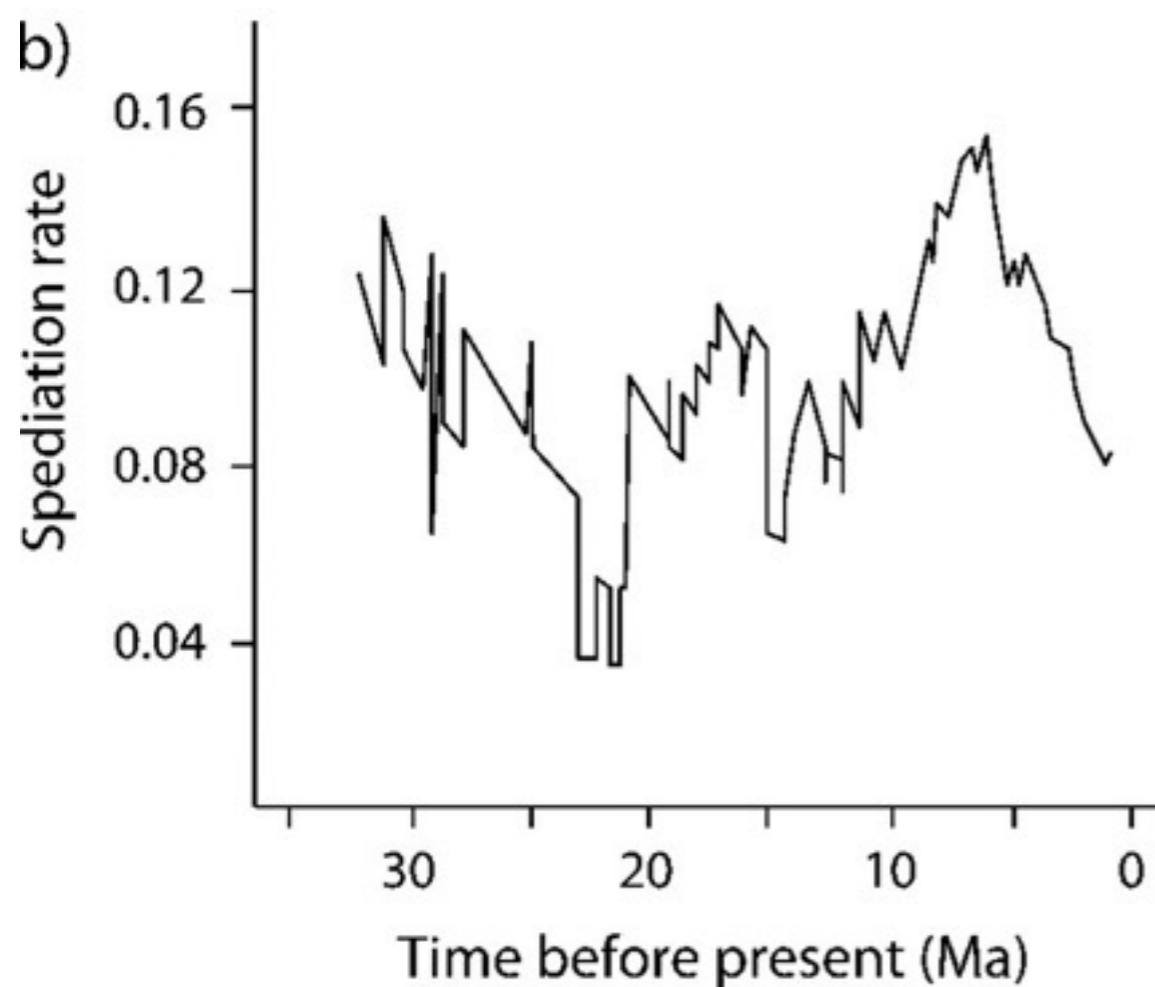
BAMM, RPANDA, and trait independent diversification



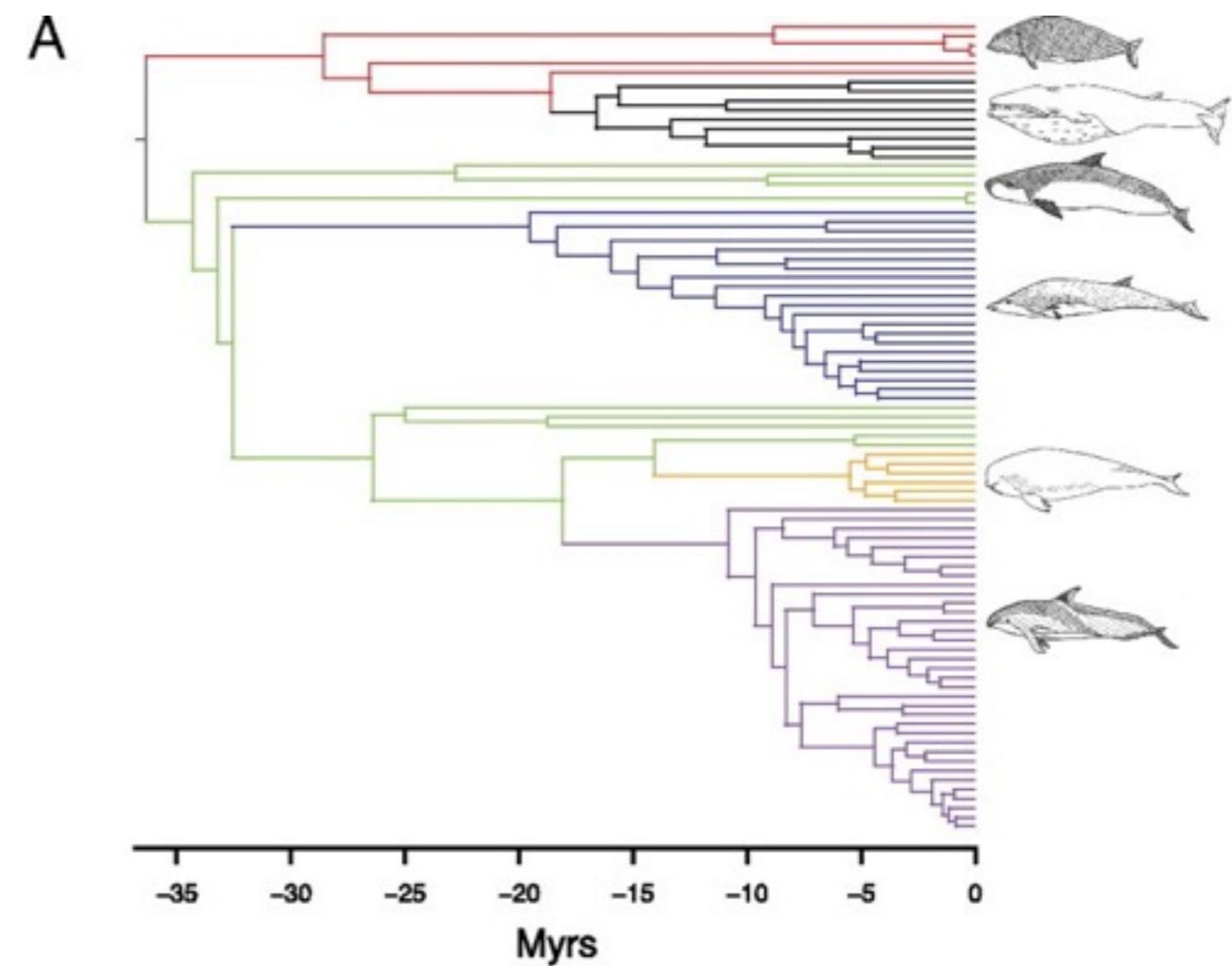
Steeman et al 2009



BAMM, RPANDA, and trait independent diversification

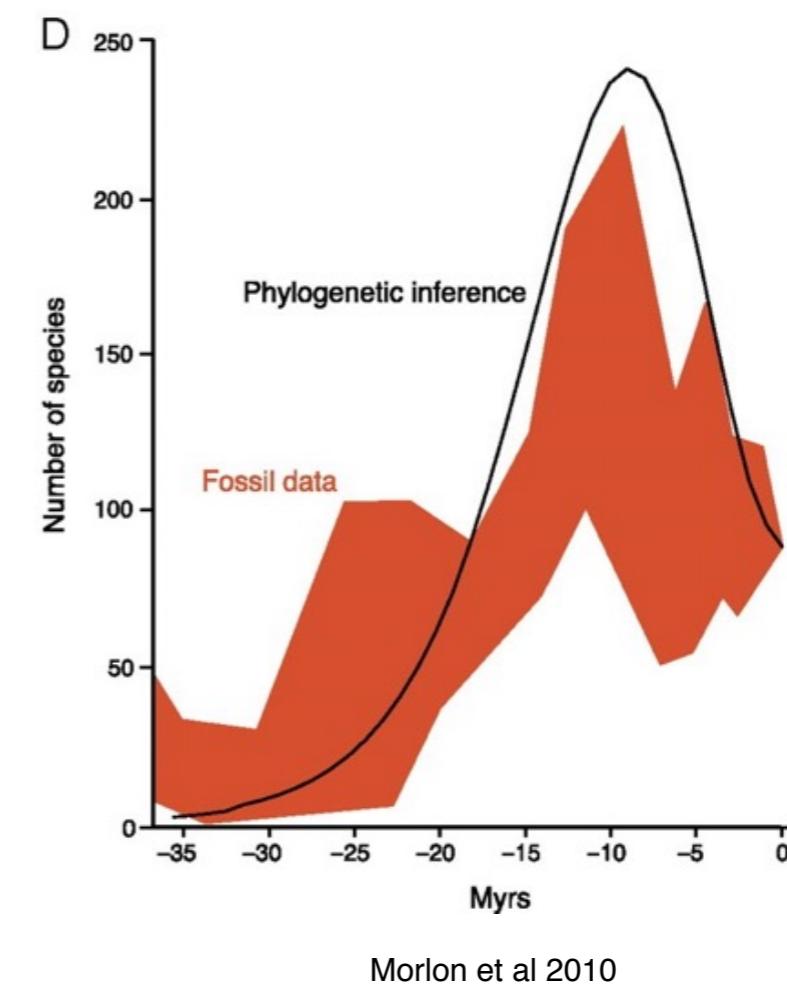
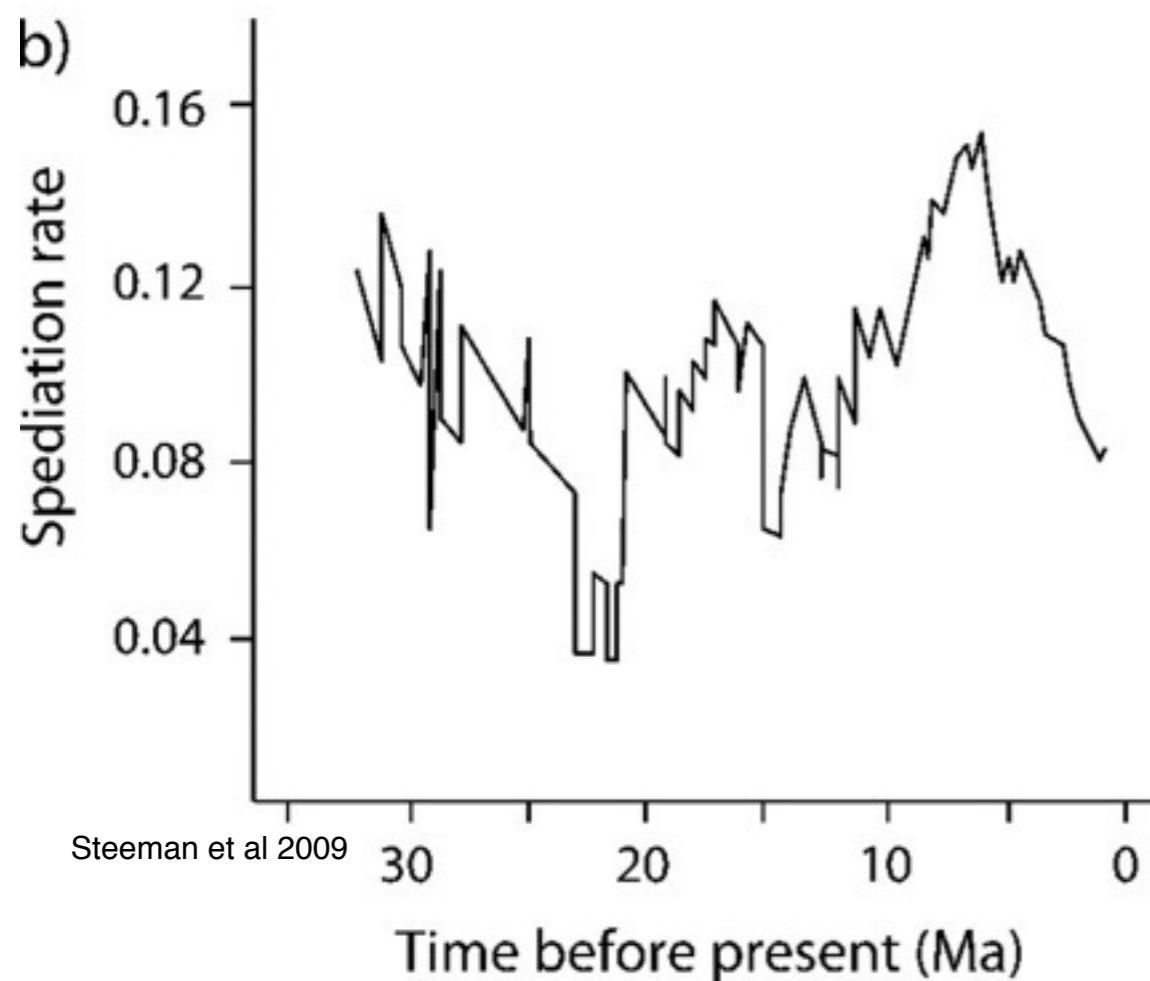


Steeman et al 2009

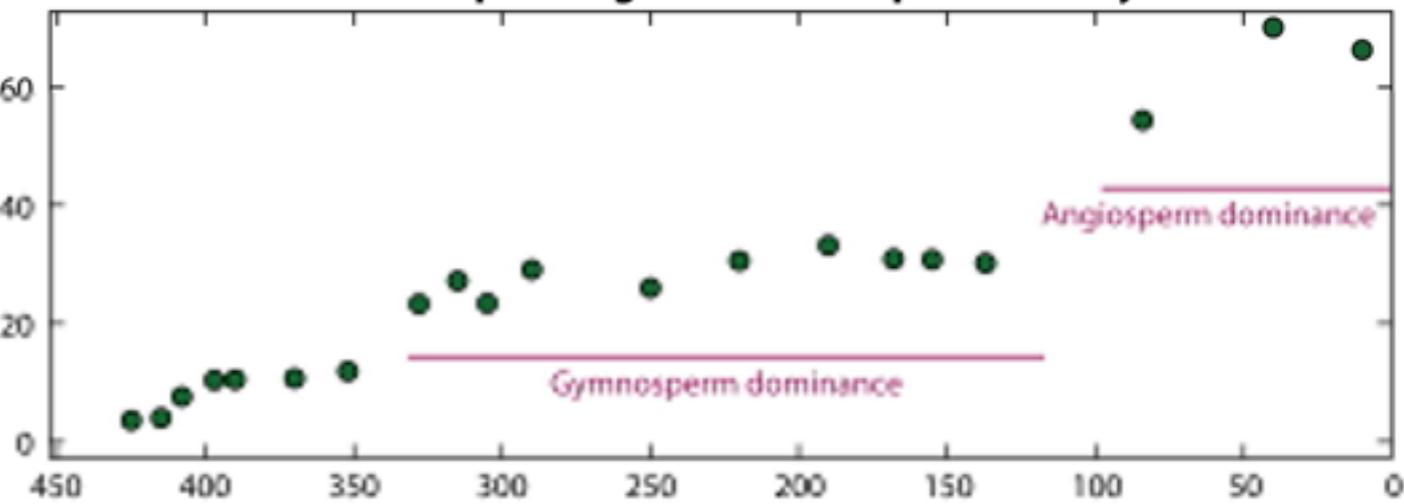


Morlon et al 2010

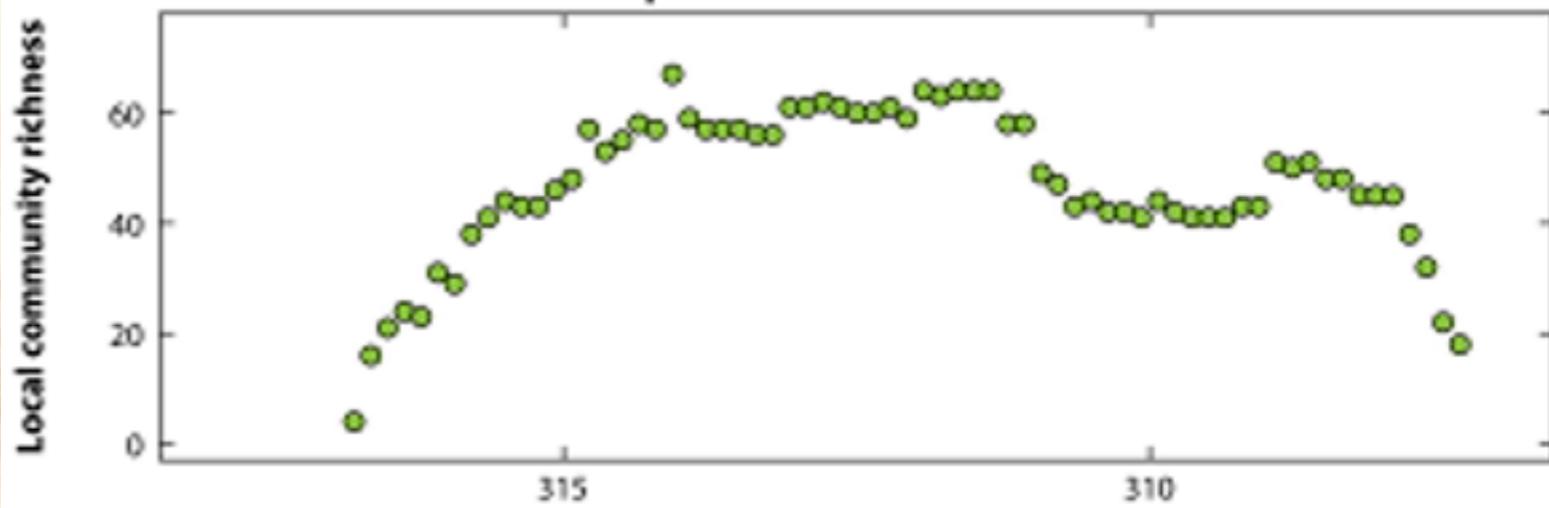
BAMM, RPANDA, and trait independent diversification



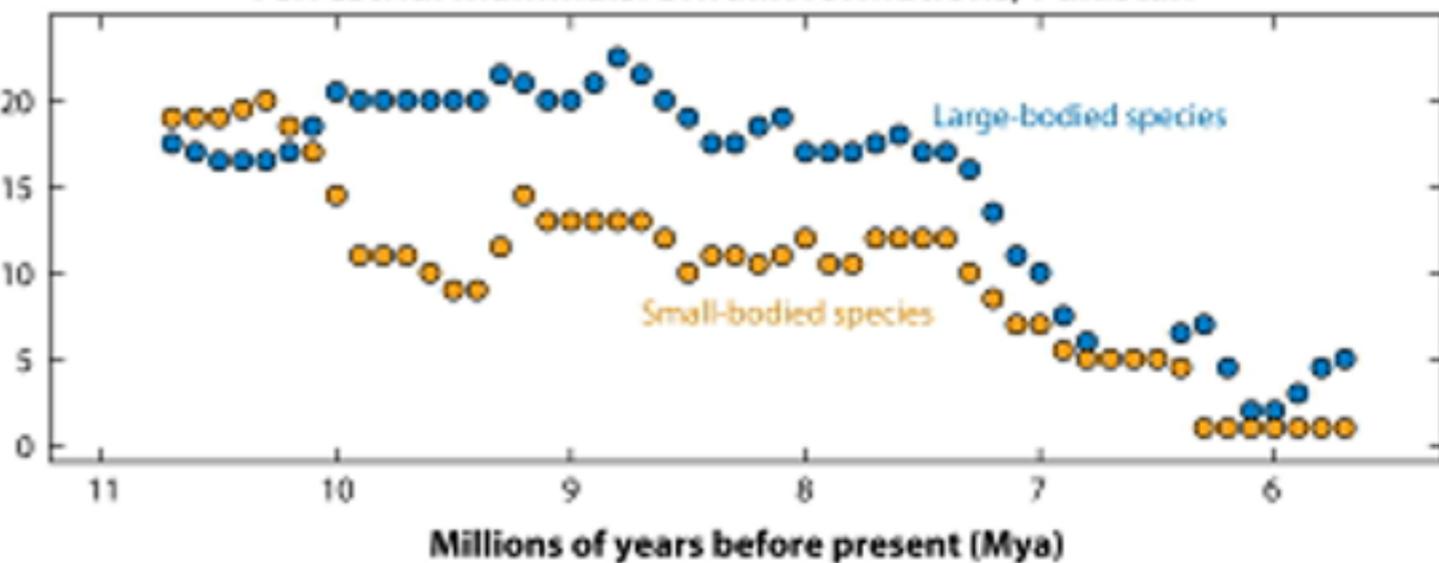
a Vascular plants: global mean alpha diversity



b Vascular plants: South Wales coalfield



c Terrestrial mammals: Siwalik formations, Pakistan



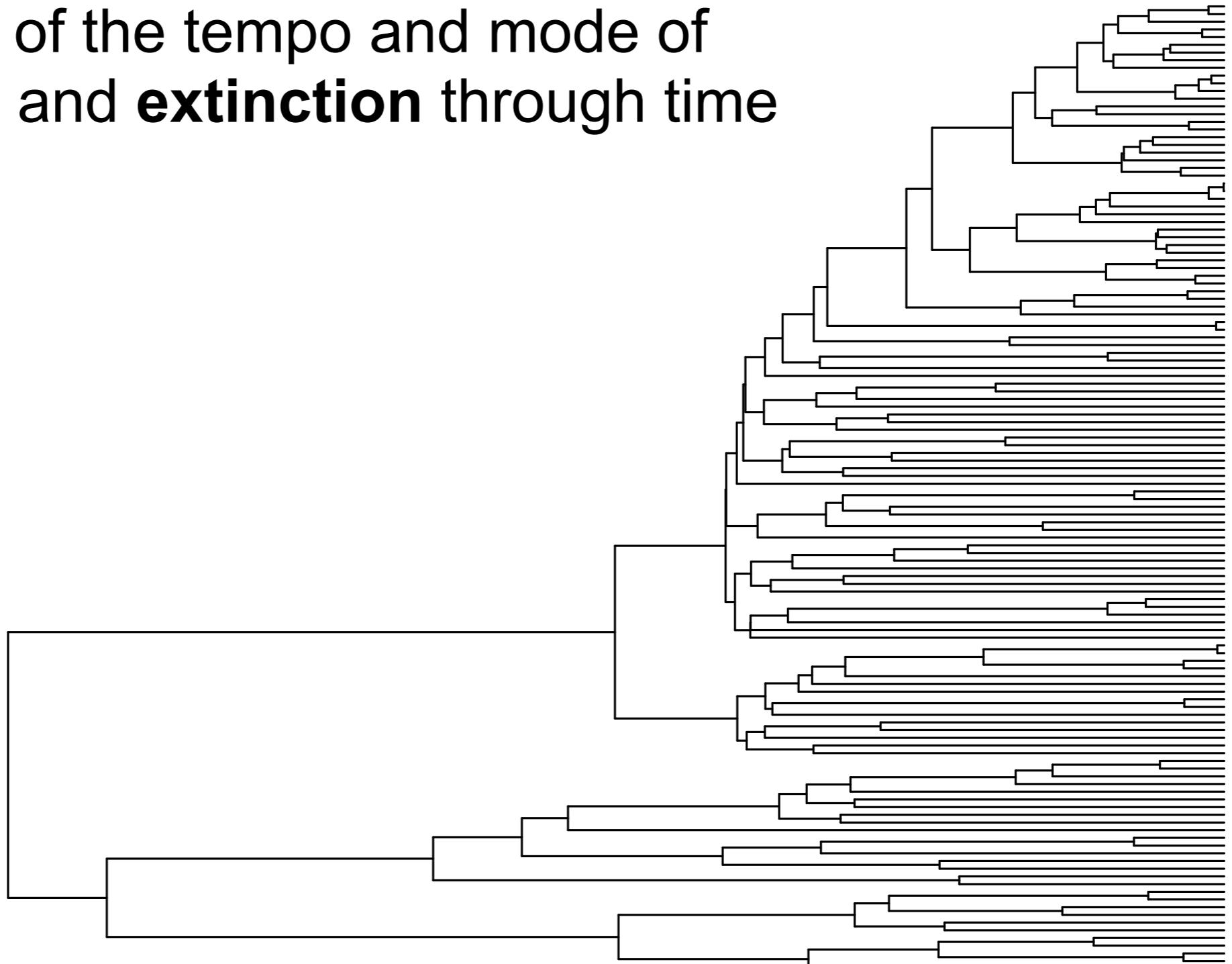
R Rabosky DL. 2013.

Annu. Rev. Ecol. Evol. Syst. 44:481–502

**does it matter if we study diversity
without assuming controls on
richness?**

Phylogenetic estimates of macroevolutionary rates

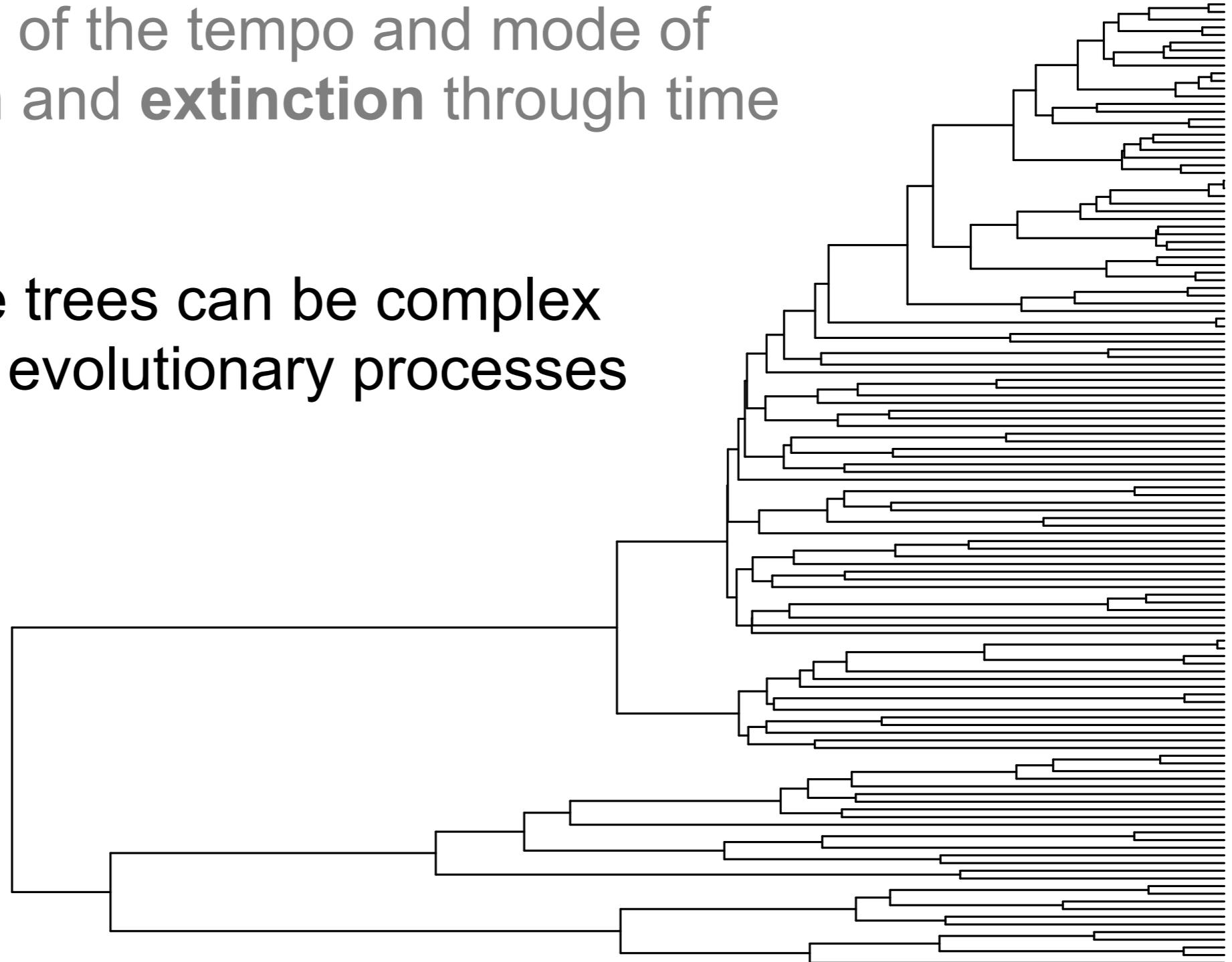
A record of the tempo and mode of
speciation and extinction through time



Phylogenetic estimates of macroevolutionary rates

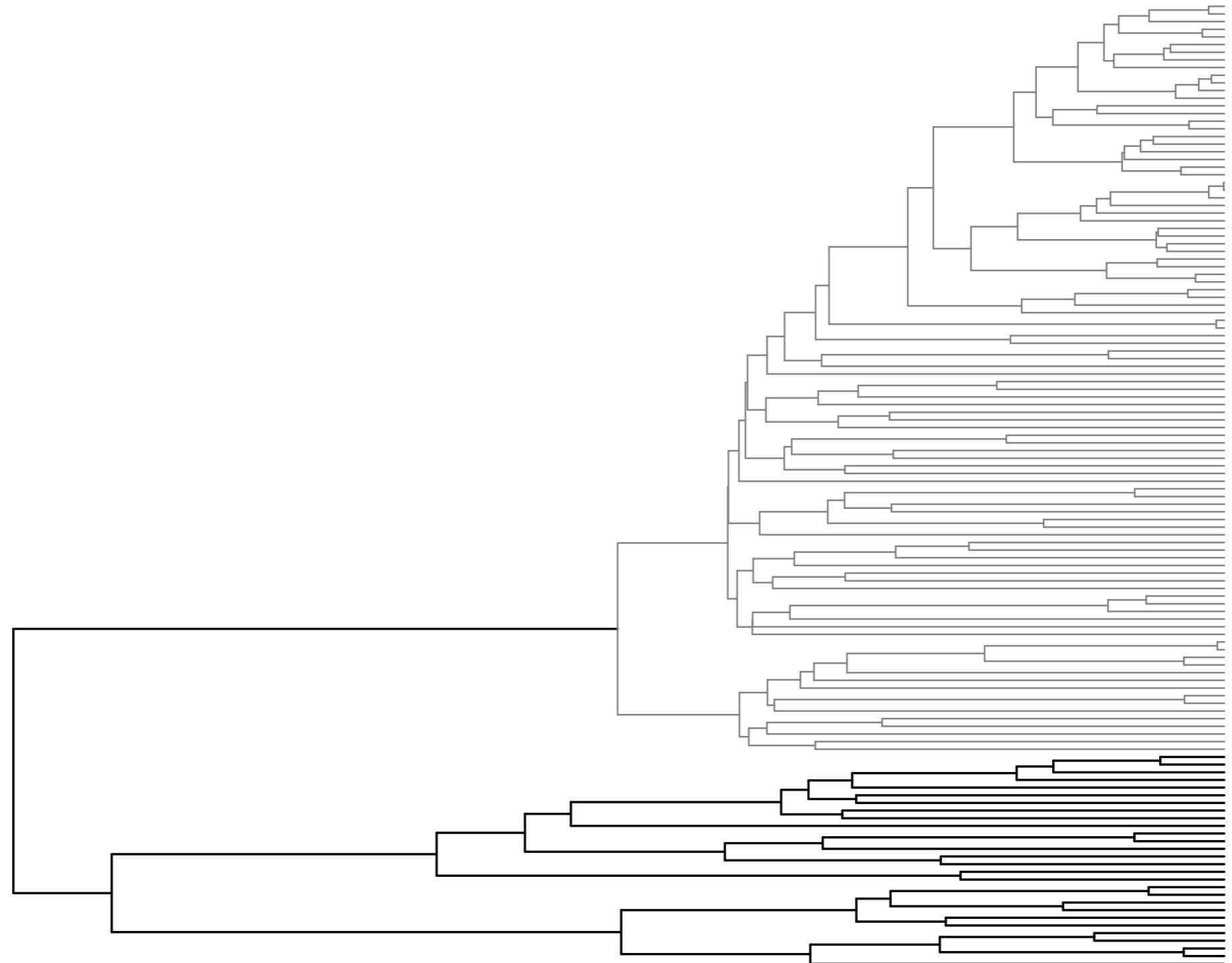
A record of the tempo and mode of
speciation and extinction through time

...but large trees can be complex
mixtures of evolutionary processes



Phylogenetic estimates of macroevolutionary rates

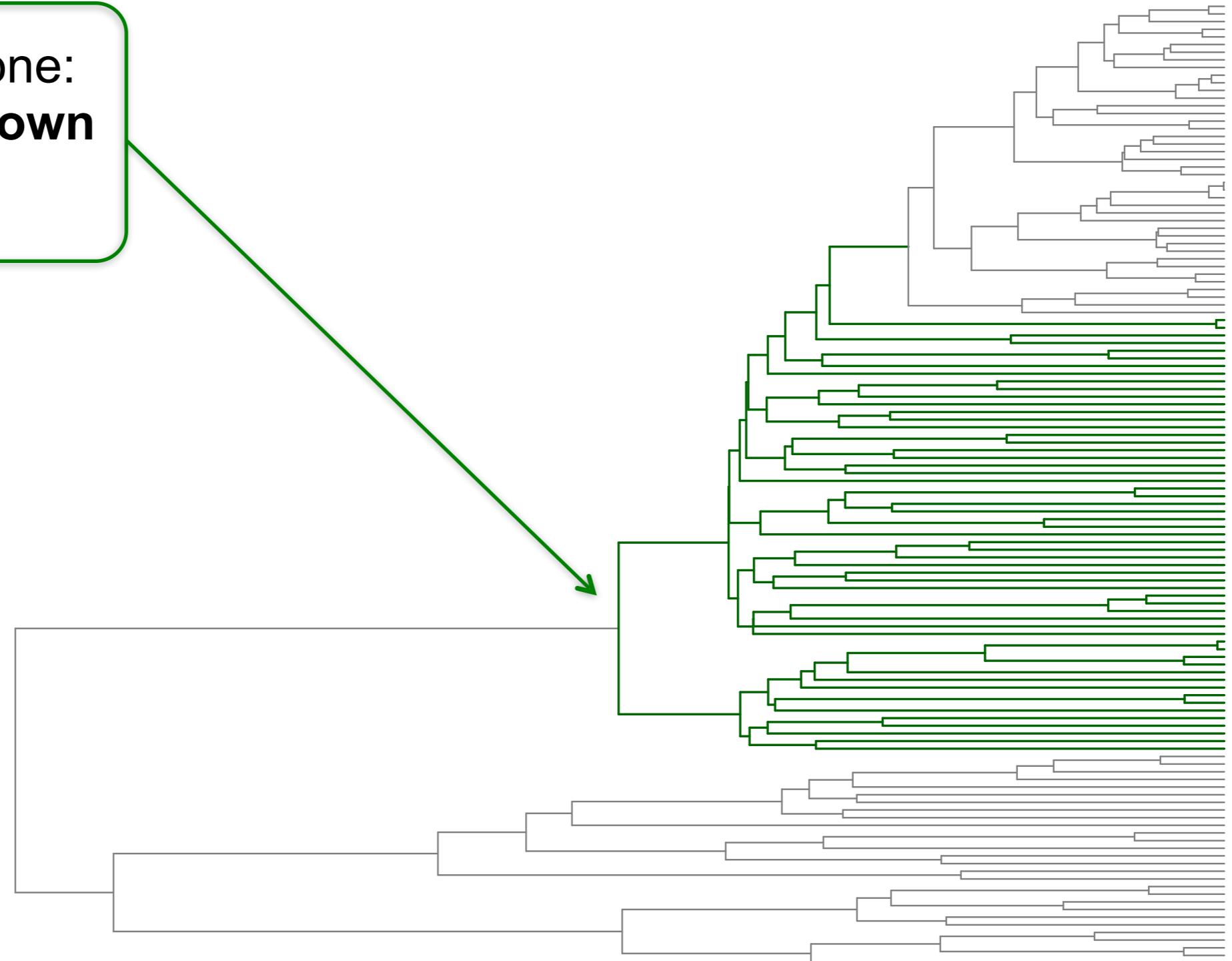
Root process
 $\phi_1(t)$



Phylogenetic estimates of macroevolutionary rates

New adaptive zone:
burst and slowdown
 $\phi_2(t)$

Root process
 $\phi_1(t)$

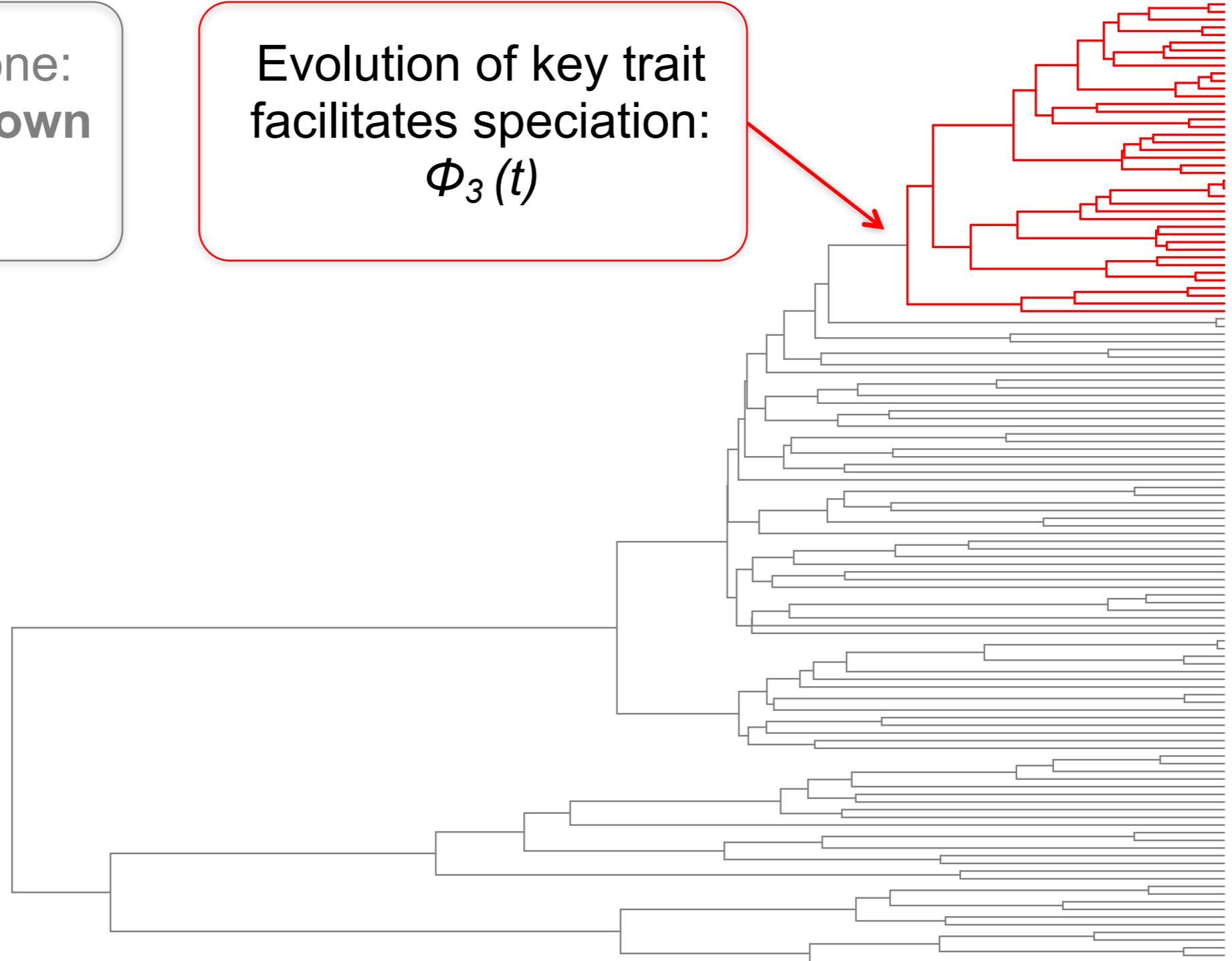


Phylogenetic estimates of macroevolutionary rates

New adaptive zone:
burst and slowdown
 $\Phi_2(t)$

Evolution of key trait
facilitates speciation:
 $\Phi_3(t)$

Root process
 $\Phi_1(t)$



BAMM: Bayesian Analysis of Macroevolutionary Mixtures

What are the evolutionary processes that have shaped a phylogenetic tree?

BAMM: Bayesian Analysis of Macroevolutionary Mixtures

What are the evolutionary processes that have shaped a phylogenetic tree?

BAMM uses transdimensional MCMC to automatically detect:

- Key innovations
- Explosive radiations
- Diversity-dependence and rate variation through time

Estimates of distributions of evolutionary rates
at ***every point in time on every branch***

BAMM

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[index](#)

Welcome

BAMM (Bayesian Analysis of Macroevolutionary Mixtures) is a program for modeling complex dynamics of speciation, extinction, and trait evolution on phylogenetic trees.

BAMM is oriented entirely towards detecting and quantifying heterogeneity in evolutionary rates. It uses reversible jump Markov chain Monte Carlo to automatically explore a vast universe of candidate models of lineage diversification and trait evolution. It has been described and extended in several publications (citations). BAMM is a command line program written in C++. Post-run analysis and visualization is performed using the R package **BAMMtools**.

- [Download BAMM](#), or go to our [GitHub page](#) to get the development source code.
- Explore the [Graph Gallery](#) for a sample of analyses produced using BAMM and BAMMtools.
- Quickly start using and analyzing data with BAMM by reading the [Quick-start Guide to BAMM](#).
- Go to our [Frequently Asked Questions](#) page to see common questions and answers.

Quick search

[Go](#)

Enter search terms or a module, class or function name.



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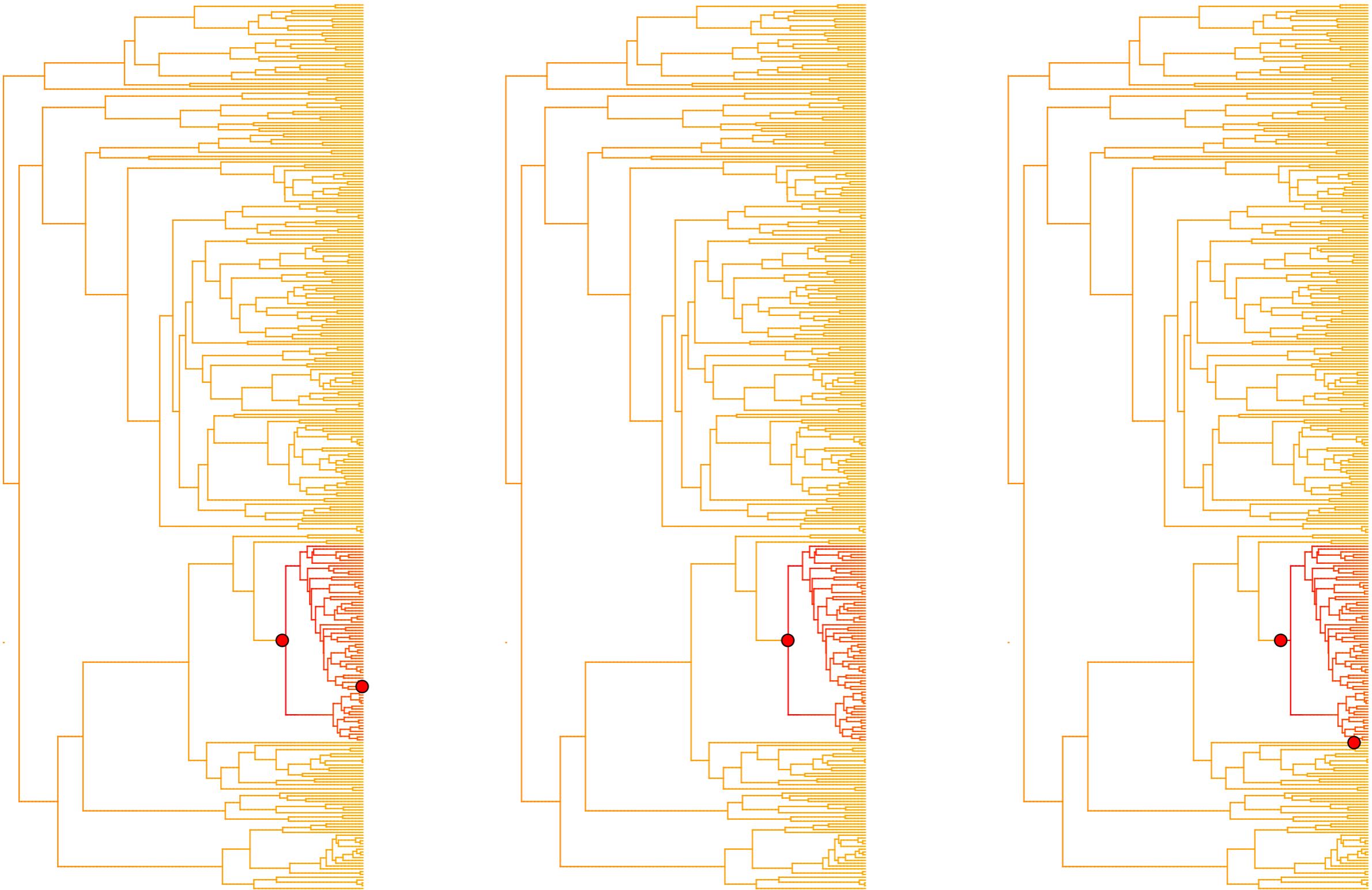
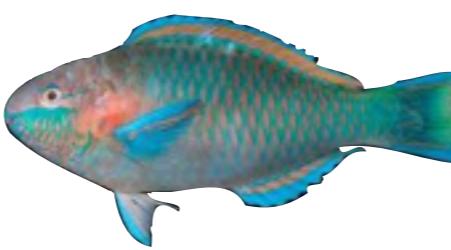
BAMM example

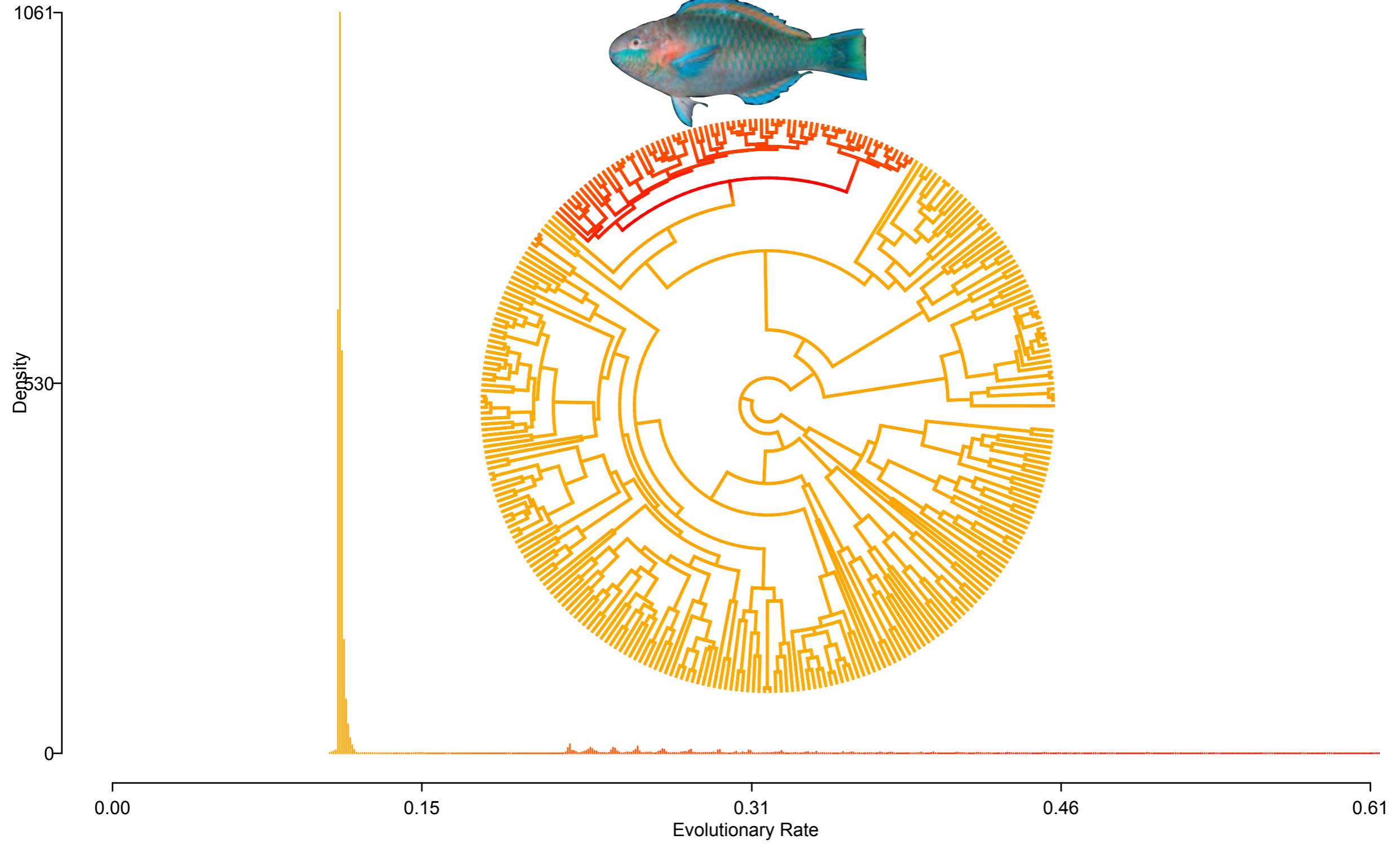


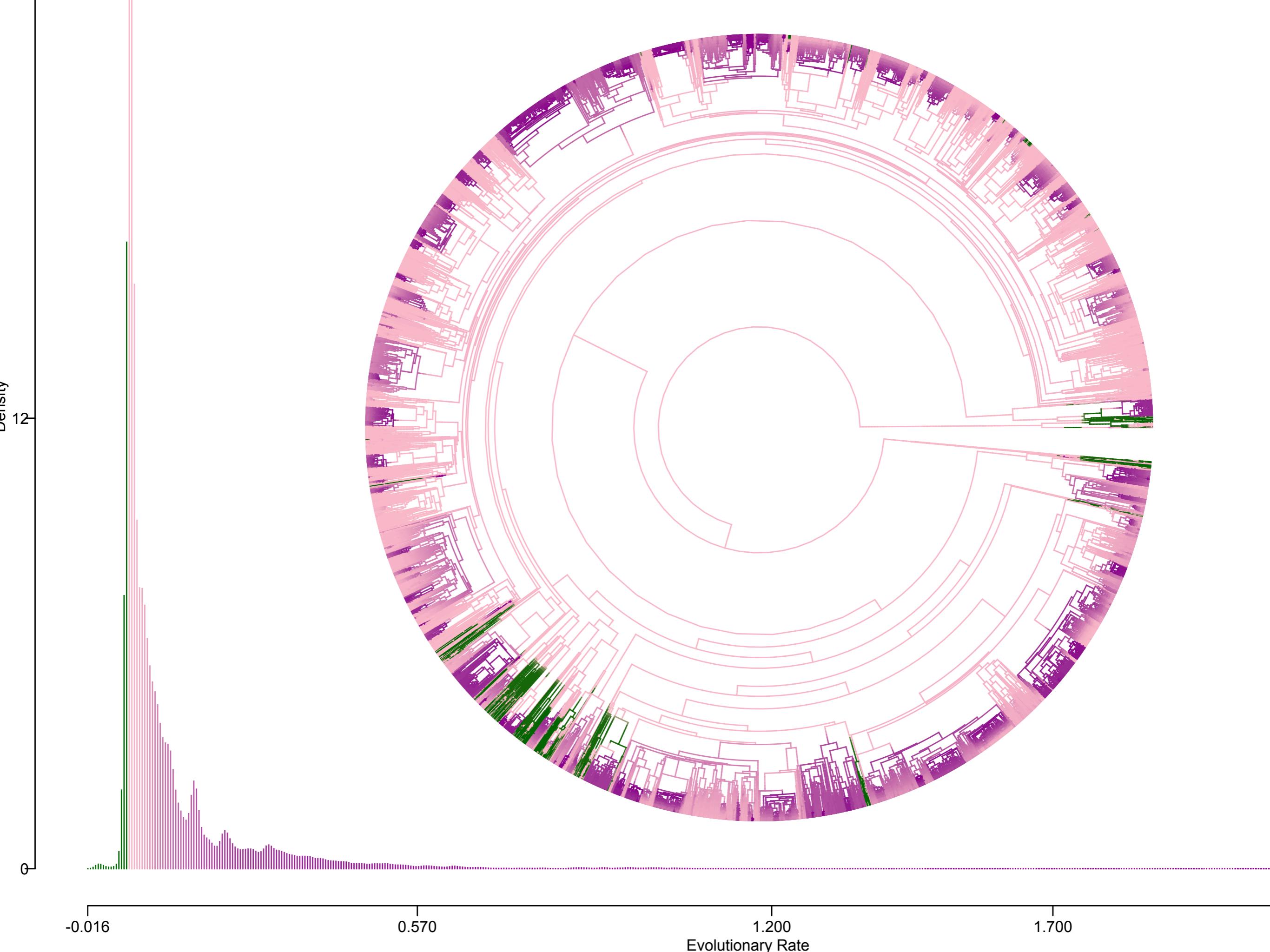
BAMM example



BAMM example







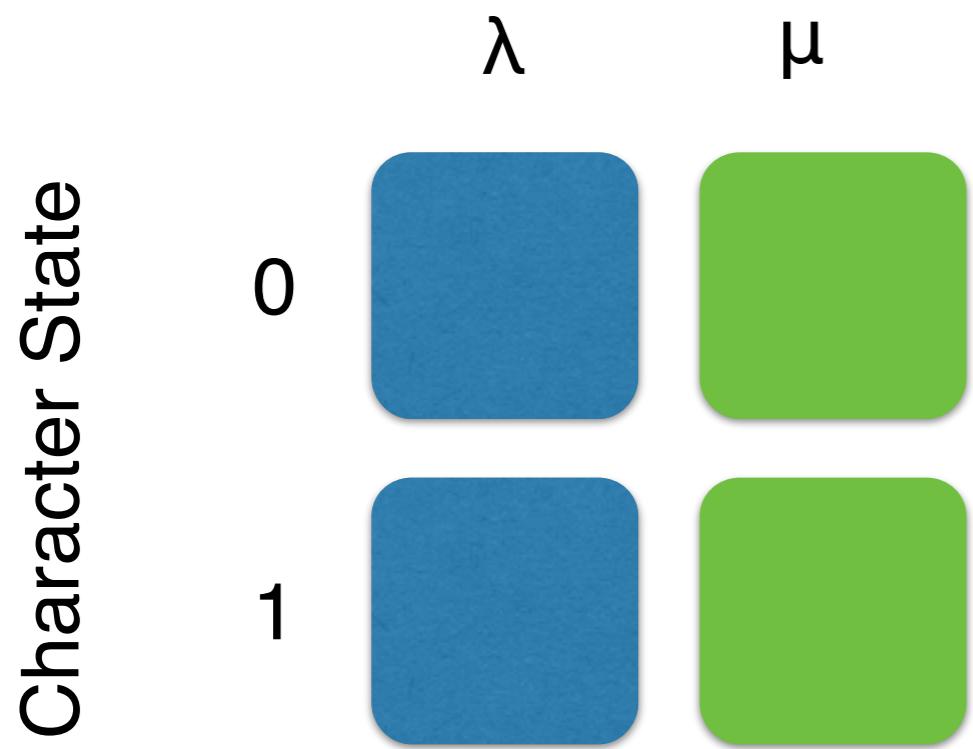
BiSSE and SSE models

Character-independent model

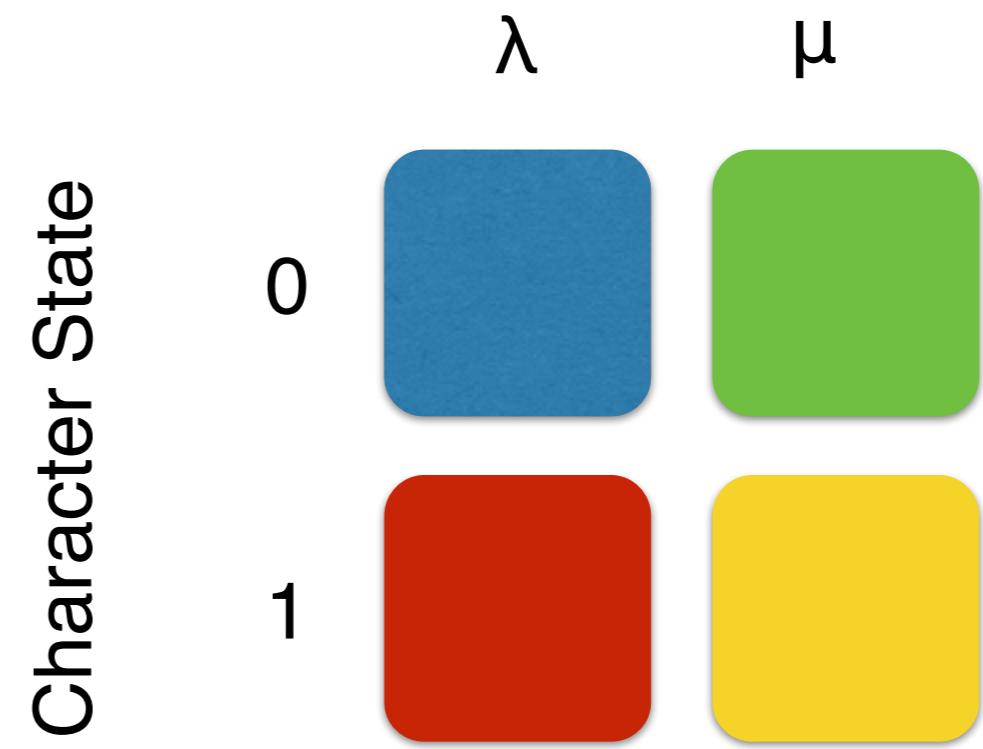
vs.

Character-dependent model

Diversification rate



Diversification rate



BiSSE Family

- BiSSE - binary character
- MuSSE - multi-state character
- ClaSSE - cladogenesis
- GeoSSE - geography
- QuaSSE - quantitative character

ERM Model

- BD is a special case of the Equal Rates Markov model (ERM)
- ERM Model assumptions
 - Markov model: next step depends only on current state
 - Equal rates: b and d are constant across lineages at any given time
 - b and/or d might change through time